Beyond the Standard Model: The aftermath of a momentous achievement

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Friday, December 14, 12

Beyond the Standard Model

Any manifestation not described (at least in principle) by the SM with a **Higgs doublet**

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- Neutrino masses
- Non-baryonic Dark Matter
- Matter-antimatter asymmetry
- Mechanism of EW symmetry breaking

The Resonance at ~126 GeV

Observation of a new particle in the search for the Standard Model Higgs boson with the ATLAS detector at the LHC $^{\updownarrow}$

ATLAS Collaboration*

ARTICLE INFO

This paper is dedicated to the memory of our ATLAS colleagues who did not live to see the full impact and significance of their contributions to the experiment.

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ABSTRACT

A search for the Standard Model Higgs boson in proton–proton collisions with the ATLAS detector at the LHC is presented. The datasets used correspond to integrated luminosities of approximately 4.8 fb⁻¹ collected at $\sqrt{s} = 7$ TeV in 2011 and 5.8 fb⁻¹ at $\sqrt{s} = 8$ TeV in 2012. Individual searches in the channels $H \rightarrow ZZ^{(*)} \rightarrow 4\ell$, $H \rightarrow \gamma\gamma$ and $H \rightarrow WW^{(*)} \rightarrow e\nu\mu\nu$ in the 8 TeV data are combined with previously published results of searches for $H \rightarrow ZZ^{(*)}$, $WW^{(*)}$, $b\bar{b}$ and $\tau^+\tau^-$ in the 7 TeV data and results from improved analyses of the $H \rightarrow ZZ^{(*)} \rightarrow 4\ell$ and $H \rightarrow \gamma\gamma$ channels in the 7 TeV data. Clear evidence for the production of a neutral boson with a measured mass of 126.0 ± 0.4 (stat) ± 0.4 (sys) GeV is presented. This observation, which has a significance of 5.9 standard deviations, corresponding to a background fluctuation probability of 1.7×10^{-9} , is compatible with the production and decay of the Standard Model

Observation of a new boson at a mass of 125 GeV with the CMS experiment at the LHC $^{\bigstar}$

CMS Collaboration*

CERN, Switzerland

This paper is dedicated to the memory of our colleagues who worked on CMS but have since passed away. In recognition of their many contributions to the achievement of this observation.

ARTICLE INFO

ABSTRACT

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Keywords: CMS Results are presented from searches for the standard model Higgs boson in proton–proton collisions at $\sqrt{s} = 7$ and 8 TeV in the Compact Muon Solenoid experiment at the LHC, using data samples corresponding to integrated luminosities of up to 5.1 fb⁻¹ at 7 TeV and 5.3 fb⁻¹ at 8 TeV. The search is performed in five decay modes: $\gamma\gamma$, ZZ, W⁺W⁻, $\tau^+\tau^-$, and bb. An excess of events is observed above the expected background, with a local significance of 5.0 standard deviations, at a mass near 125 GeV, signalling the production of a new particle. The expected significance for a standard model Higgs boson of that mass is 5.8 standard deviations. The excess is most significant in the two decay modes with the best mass resolution, $\gamma\gamma$ and ZZ; a fit to these signals gives a mass of $125.3 \pm 0.4(\text{stat.}) \pm 0.5(\text{syst.})$ GeV.



SM-Higgs Interpretation

- Signal in $VV = WW, ZZ, \gamma\gamma$, also searched for in $f\bar{f} = b\bar{b}, \tau^+\tau^-$
- Good agreement with a SM-Higgs interpretation





Compatibility with SM hypothesis $\approx 23\%$ (ATLAS)

Agnostic Interpretation: Spin

- We know it is a bosonic resonance from the observed final states
- S=1 excluded by observation of $\gamma\gamma$ channel (Landau-Yang theorem)
- Possible S = 2 interpretation considered recently by Ellis, Sanz and You (1211.3068) Parametrize couplings of massive $h_{\mu\nu}$ (need not be related to EWSB)

$$\frac{c_i}{M}h_{\mu\nu}T_i^{\mu\nu} \quad \text{for} \quad c_W, c_Z, c_\gamma, c_g, c_f \quad \begin{cases} \text{gauge inv.: } c_g = c_\gamma \\ \text{custodial: } c_W = c_Z \equiv c_V \end{cases}$$



Observed rates imply
$$c_g = (1.97 \pm 0.59) \times c_{\gamma}$$
$$c_V = (175 \pm 25) \times c_{\gamma}$$

- Tension with expected $\, \Gamma(gg) = 8 \, \Gamma(\gamma \gamma) \,$

- If some connection to EWSB, may expect enhancement to $W_L W_L / Z_L Z_L$ over $\gamma \gamma$, but not as large as loop factor

- (Known realization would face other pheno. hurdles)

Agnostic Interpretation: Parity

Focus on S = 0 resonance: what about its parity?

At the Nov. HCP meeting, CMS presented first analysis to distinguish between



Pseudoscalar:
$$\begin{cases} hF_{\mu\nu}\tilde{F}^{\mu\nu} \\ h\bar{\psi}\gamma_5\psi \end{cases}$$

- Data consistent with 0^+ (at 0.6σ)
- \bullet Pseudoscalar, $0^-,$ excluded at $2.5\,\sigma$

Mounting evidence for scalar case...

EW Quantum Numbers

Well-established evidence for custodial symmetry $SU(2)_C \subset SU(2)_L^{\text{gauge}} \times SU(2)_R^{\text{global}}$

→ Dominant source of EWSB from vev of $SU(2)_C$ singlet

• The SM provides a simple realization

$$H = \begin{pmatrix} H^+ \\ H^0 \end{pmatrix} \longrightarrow \Phi = \begin{pmatrix} H^{0*} & H^+ \\ -H^- & H^0 \end{pmatrix} \text{ with } \langle \Phi \rangle = v \times \mathbb{1}_{2 \times 2}$$

• But there are other possibilities, e.g. three $SU(2)_L$ triplets with $Y=0,\pm 1$ (Gunion, Vega & Wudka, 1990)

$$\Phi = \begin{pmatrix} \chi^0 & t^+ & \xi^{++} \\ \chi^- & t^0 & \xi^+ \\ \chi^{--} & t^- & \xi^0 \end{pmatrix} \quad \text{with} \quad \langle \Phi \rangle = v \times \mathbb{1}_{3 \times 3}$$

These are consistent with EW precision measurements (more generally could use (N_L, N_R) reps.) (e.g. Low & Lykken, 1005.0872)

CP-even, neutral excitations: singlet, i.e. $\Phi = (v + h) \times \mathbb{1}$, versus 5-plet of $SU(2)_C$

EW Quantum Numbers

Low, Lykken & Shaughnessy, 1207.1093

CP-even, neutral excitations: singlet, i.e.
$$\Phi = (v + h) \times \mathbb{1}$$
, versus 5-plet of $SU(2)_C$

Current LHC data has some discriminating power



- Couplings to gg or $\gamma\gamma$ parameterized by higher-dimension operators
- Consider ratios with identical production

$$D_{W/Z} \equiv \frac{\sigma_{gg}(h \to WW)}{\sigma_{gg}(h \to ZZ)} \qquad \qquad D_{\gamma/Z} \equiv \frac{\sigma_{gg}(h \to \gamma\gamma)}{\sigma_{gg}(h \to ZZ)}$$

- The difference arises from

$$\frac{g_{hWW}}{g_{hZZ}} = \frac{m_W^2}{m_Z^2} = c_w^2 \qquad \text{versus} \qquad \frac{g_{h_5WW}}{g_{h_5ZZ}} = \frac{m_W^2}{2m_Z^2} = -\frac{c_w^2}{2}$$

Since 5-plet does not have renormalizable couplings to fermion pairs, an unambiguous non-vanishing rate in such channels will rule this option out

More Exotic Interpretations

SM-Higgs couplings proportional to mass... also a natural feature for a *dilaton* !

Picture: (approximately) scale invariant theory, spontaneously broken at a scale fRelation between f and EWSB scale not specified Perhaps the actual ``Higgs boson" is heavy and what we are seeing is a dilaton?

- Dilaton couplings to W and Z: $\frac{\sigma}{f} \left(2m_W^2 W_{\mu}^+ W^{-\mu} + m_Z^2 Z_{\mu} Z^{\mu} \right)$

- Couplings to gg and $\gamma\gamma$: fixed by beta functions of composite states

Case 1: The SM degrees of freedom are composite remnants of the conformal breaking

- -> Couplings to gluons significantly enhanced compared to SM-Higgs: **disfavored**
- **Case 2**: ``Partial compositeness'': most of SM remains *elementary*, gauge bosons (e.g. gluons) have small mixing with CFT composites, (RH) top and NGB's are CFT composites

More Exotic Interpretations

Two groups have recently studied the ~125 GeV signal as a possible dilaton in partial compos. case.

- May accommodate rates for $f \approx v$
- A number of coincidences necessary to mimic SM rates...

Chacko, Franceschini & Mishra, 1209.3259 Bellazini, Csáki, Hubisz, Serra & Terning, 1209.3299 see also: Goldberger, Grinstein & Skiba, 0708.1463 Low, Lykken & Shaughnessy, 1207.1093



Friday, December 14, 12

SM-Higgs Interpretation

So the new resonance looks like a SM Higgs...

... though detailed properties might still contain crucial information

For instance, a *potential* enhancement in the diphoton signal compared to a SM-Higgs has recently caused much excitement: *loop-level process sensitive to new physics*



New scalars or fermions getting mass mainly from EWSB tend to cause a suppression...

But vector-like particles can produce an enhancement!

Vector-like particles

To the extent that Higgs production is dominated by gluon-fusion, the presence of colored states would induce an (unobserved) overall enhancement in all channels



• A scalar example might be provided by staus in SUSY

Carena, Gori, Shah & Wagner, 1112.3336 Carena, Low & Wagner, 1207.1093

• Vector-like ``leptons" can be even more effective

Arkani-Hamed, Blum, D'Agnolo & Fan, 1207.4482

Consider
$$(\psi, \psi^c) \sim (1, 2)_{\pm \frac{1}{2}}$$
, $(\chi, \chi^c) \sim (1, 1)_{\mp 1}$,

$$M = \begin{pmatrix} \mathbf{m}_{\psi} & \frac{1}{\sqrt{2}}yv\\ \frac{1}{\sqrt{2}}y_cv & \mathbf{m}_{\chi} \end{pmatrix}$$

EWSB mass mixing pushes lightest eigenvalue down: $\frac{\partial \ln m_1}{\partial \ln v}$ Sizeable enhancement needs light states and couplings $\gtrsim 1$

Unlike generic scalars, fermions can be light without tuning.

The EW Phase Transition

Davoudiasl, Lewis & EP, 1211.3449

Such a setup could have interesting implications in the early universe...

Fermionic contribution induces a local minimum at the origin, even at T = 0, provided $m_{\psi} \sim m_{\chi}$

A connection between diphoton enhancement and EW baryogenesis? Strongly first-order EWPhT!

Higgs instability would require additional new phys. close to the TeV scale (bosons?)







Of course, the current excess in diphotons over SM expectation may just be a fluke...

Would a SM-like Higgs (within LHC precision) be a ``surprise" in any way? Of course, the current excess in diphotons over SM expectation may just be a fluke...

Would a SM-like Higgs (within LHC precision) be a ``surprise" in any way?

Most certainly NOT!

Decoupling

- Excellent agreement of SM predictions and observations has long suggested that any new physics must be decoupling, i.e. it must be possible to make it heavy without leaving large effects behind

• Witness: a fourth generation \rightarrow - large effects on EW precision observables (albeit indirect, so could have been canceled by ``something else")

- large impact on Higgs production via gluon fusion, and significant suppression of diphoton rate (now clearly ruled out)
- Expect new physics to be ``vector-like", i.e. masses not mainly from EWSB
- Complicated Higgs sectors often have a natural decoupling limit, with the lightest state having properties close to those of a SM-Higgs

e.g. the ``large" m_A limit of 2HDM (such as in the MSSM)

Thus, scenarios with several Higgs doublets, singlets, triplets (with small vevs) still allowed.

Spontaneous breaking of the EW symmetry a well-established experimental fact...

... Higgs boson discovery a crucial step towards a full understanding of this phenomenon

Experimental determination of the Higgs boson properties very important... in particular, eventually measure the (trilinear, ...) Higgs self-interactions

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Nobody should be particularly surprised if the ``wine bottle" potential:

$$V(\Phi) = -m^2 \Phi^{\dagger} \Phi + \frac{\lambda}{4} (\Phi^{\dagger} \Phi)^2$$

is in fact an excellent *description* of the phenomenon of EWSB.



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But this much knowledge still would not amount to a proper understanding of EWSB!

Compare superconductivity: should a (theoretical) physicist be satisfied with the Ginzburg-Landau Theory?

What we are really after is the underlying ``BCS theory" of EWSB!

Under my ``uncontroversial" definition, the case for BSM physics is as strong as ever...

... in fact stronger

• To the extent that we know that the 125 resonance is the Higgs boson, we have ruled out technicolor-type models for EWSB, i.e. models that *do not* give rise to a *light scalar*, besides the Nambu-Goldstone bosons of the symmetry breaking.

But note: this does not mean that the *origin* of EWSB is weakly coupled (Higgs could still be composite, e.g. a pseudo-NGB of strong dynamics)

• The quantum excitations of the Higgs field, however, are weakly coupled, and we are faced with the relevant operator $\frac{1}{2}m_h^2h^2$

$$\frac{1}{h} - \frac{1}{h} \sim \frac{\lambda^2}{16\pi^2} \Lambda^2$$

The ``hierarchy problem" is the *sharp* QFT formulation of the intuition that whatever generates dynamically the weak scale *should* have characteristic length scales of that order

Naturalness: not simply ``esthetic", but a test of Quantum Field Theory thinking!



No signs of NP below 1 TeV?

A taste of ATLAS bounds on SUSY and ``Exotics" searches:

ATLAS SUSY	Searches* - 95% CL Lower Limits (Status: D	Dec 2012)	ATLAS Exotics Searches*	- 95% CL Lower Limits (S	tatus: ICHEP 2012)
L=5.8 fb ⁻¹ , 8 TeV [ATLAS-CONF-2012-109]	150 TeV $\tilde{\alpha} = \tilde{\alpha}$ mass		1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	38 TeV $M_{\odot}(\delta=2)$	
L=5.8 fb ⁻¹ , 8 TeV [ATLAS-CONF-2012-104]	1.24 TeV $\tilde{q} = \tilde{g}$ mass		L=4.6 fb ⁻¹ , 7 TeV [ATLAS-CONF-2012-085]	1.7 TeV $M_D(\delta=2)$	
L=5.8 fb ⁻¹ , 8 TeV [ATLAS-CONF-2012-109]	1.18 TeV \widetilde{g} mass $(m(\widetilde{q}) < 2 \text{ TeV}, \text{ light } \widetilde{\chi}_{L}^{0})$	ATLAS	L=4.9 fb ⁻¹ , 7 TeV [ATLAS-CONF-2012-087]	3.29 TeV M _c (GRW cu	t-off, NLO) ATLAS
L=5.8 fb ⁻¹ , 8 TeV [ATLAS-CONF-2012-109]	1.38 TeV $\widetilde{\mathbf{q}}$ mass $(m(\widetilde{g}) < 2 \text{ TeV}, \text{ light } \widetilde{\chi}_4^0)$	Preliminary	L=4.8 fb ⁻¹ , 7 TeV [ATLAS-CONF-2012-072]	1.41 TeV Compact, scale 1/R	Preliminary
L=4.7 fb ⁻¹ , 7 TeV [1208.4688]	900 GeV \widetilde{g} mass $(m(\widetilde{\chi}_{1}^{0}) < 200 \text{ GeV}, m(\widetilde{\chi}^{\pm}) = \frac{1}{2}(m(\widetilde{\chi}^{0}))$	(j+ <i>m</i> (g))	L=4.9 fb ⁻¹ , 7 TeV [ATLAS-CONF-2012-087]	2.06 TeV Graviton mass	
L=4.7 fb ⁻¹ , 7 TeV [1208.4688]	1.24 TeV \widetilde{g} mass $(\tan\beta < 15)$		L=4.9-5.0 fb ⁻¹ , 7 TeV [ATLAS-CONF-2012-007]	2.16 TeV Graviton mass	
L=4.7 fb ⁻¹ , 7 TeV [1210.1314]	1.20 TeV \widetilde{g} mass (tan β > 20)		$/ -1.0 \text{ fb}^{-1}$ 7 TeV [1203.0718]	Gev Graviton mass	Ldt = (1.0 - 5.8) fb
L=4.8 fb ⁻¹ , 7 TeV [1209.0753]	1.07 TeV $\widetilde{\mathbf{g}}$ mass $(m(\widetilde{\chi}_1^0) > 50 \text{ GeV})$	$Ldt = (2.1 - 13.0) \text{ fb}^{-1}$	/ -4.7 fb ⁻¹ 7 TeV [ATLAS-CONE-2012-068]	1 23 TeV Graviton mass	✓ √s = 7.8 TeV
L=4.8 fb ⁻¹ , 7 TeV [ATLAS-CONF-2012-144]	619 GeV g mass		/ =2.1 fb ⁻¹ 7 TeV [ATLAS-CONF-2012-029]	KK gluon mass	1 3 = 7, 8 lev
L=4.8 fb ⁻¹ , 7 TeV [1211.1167]	900 GeV $\widetilde{\mathbf{g}}$ mass $(m(\widetilde{\chi}_1^0) > 220 \text{ GeV})$	s = 7, 8 TeV	$L = 2.1 \text{ fb}^{-1}$ 7 TeV [Preliminary]	1 50 TeV KK gluon mass	
L=5.8 fb ⁻¹ , 8 TeV [ATLAS-CONF-2012-152]	690 GeV g mass (m(H) > 200 GeV)		L = 2.1 ID, 7 TeV [FTemininaly]	1.25 ToV M (δ =6)	
L=10.5 fb ⁻¹ , 8 TeV [ATLAS-CONF-2012-147]	645 GeV F''^2 scale $(m(\tilde{G}) > 10^4 \text{ eV})$		$L=1.0 \text{ fb}^{-1}$ 7 TeV [1111.0000]	$1.25 \text{ TeV} M_D (0-0)$	
L=12.8 fb ⁻¹ , 8 TeV [ATLAS-CONF-2012-145]	1.24 TeV ğ̃ mass (<i>m</i> (χ̃) < 200 GeV)		L = 1.0 ID, 7 IEV [1204.4040]	$\frac{1.5 \text{ lev}}{M_D} = \frac{1.5 \text{ lev}}{M_D} $	
L=5.8 fb ⁻¹ , 8 TeV [ATLAS-CONF-2012-105]	850 GeV \tilde{g} mass $(m(\tilde{\chi}_1^0) < 300 \text{ GeV})$		L=4.7 1D , 7 IEV [ATLAS-CONF-2012-038]	4.11 lev M _D (0=0)	
L=13.0 fb ⁻¹ , 8 TeV [ATLAS-CONF-2012-151]	860 GeV $\widetilde{\mathbf{g}}$ mass $(m(\widetilde{\chi}_1^0) < 300 \text{ GeV})$	8 lev results	L=4.8 fb ⁻ , 7 TeV [ATLAS-CONF-2012-038]	7.8 leV	
L=5.8 fb ⁻¹ , 8 TeV [ATLAS-CONF-2012-103]	1.00 TeV \tilde{g} mass $(m(\tilde{\chi}_1^0) < 300 \text{ GeV})$	7 TeV results	L=1.1-1.2 fb ⁻¹ , 7 TeV [1112.4462]	10.2 Te	A (constructive int.)
L=12.8 fb ⁻¹ , 8 TeV [ATLAS-CONF-2012-145]	1.15 TeV G MASS $(m(\tilde{\chi}_1^0) < 200 \text{ GeV})$		L=1.0 fb ⁻ , 7 TeV [1202.5520]	1.7 TeV Λ	
L=12.8 fb ⁻¹ , 8 TeV [ATLAS-CONF-2012-165]	620 GeV b mass $(m(\tilde{\chi}_1^0) < 120 \text{ GeV})$		L=4.9-5.0 fb ⁻¹ , 7 TeV [ATLAS-CONF-2012-007]	2.21 TeV Z mass	
L=13.0 fb ⁻¹ , 8 TeV [ATLAS-CONF-2012-151]	405 GeV b mass $(m(\tilde{\chi}_1^*) = 2 m(\tilde{\chi}_1^0))$		L=4.7 fb ⁻¹ , 7 TeV [ATLAS-CONF-2012-067]	1.3 TeV Z' mass	
L=4.7 fb ⁻¹ , 7 TeV [1208.4305, 1209.2102]67 G e	\mathbf{v} t mass $(m(\tilde{\chi}_1)) = 55 \text{ GeV})$		L=4.7 fb ⁻¹ , 7 TeV [ATLAS-CONF-2012-086]	2.55 TeV W' mass	
L=13.0 fb ⁻¹ , 8 TeV [ATLAS-CONF-2012-166]	160-350 GeV t mass $(m(\tilde{\chi}_1^0) = 0 \text{ GeV}, m(\tilde{\chi}_1^{\pm}) = 150 \text{ GeV})$		L=4.7 fb ⁻¹ , 7 TeV [CONF-2012-096] 350 GeV W' mas	S	
L=13.0 fb ⁻¹ , 8 TeV [ATLAS-CONF-2012-167]	160-440 GeV t mass $(m(\tilde{\chi}_{1}^{0}) = 0 \text{ GeV}, m(\tilde{t}) - m(\tilde{\chi}_{1}^{\pm}) = 10 \text{ GeV})$		L=1.0 fb ⁻¹ , 7 TeV [1205.1016]	1.13 TeV W' mass	
L=13.0 fb ⁻¹ , 8 TeV [ATLAS-CONF-2012-166]	230-560 GeV t mass $(m(\tilde{\chi}_1^0) = 0)$		L=1.0 fb ⁻¹ , 7 TeV [1112.4828] 660 GeV	1 ^e gen. LQ mass	
L=4.7 fb ⁻¹ , 7 TeV [1208.1447,1208.2590,1209.41	186] 230-465 GeV t mass $(m(\tilde{\chi}_1) = 0)$		L=1.0 fb ⁻¹ , 7 TeV [1203.3172] 685 GeV	2 nd gen. LQ mass	
L=2.1 fb ⁻¹ , 7 TeV [1204.6736]	310 GeV t mass (115 < $m(\tilde{\chi}_1)$ < 230 GeV)		L=1.0 fb ⁻¹ , 7 TeV [1202.3389] 350 GeV Q ₄ mas	S	
L=4.7 fb ⁻¹ , 7 TeV [1208.2884] 85-195	GeV I mass $(m(\tilde{\chi}_1) = 0)$		L=1.0 fb ⁻¹ , 7 TeV [1202.3076] 404 GeV U ₄ Ma	ass	
L=4.7 fb ⁻¹ , 7 TeV [1208.2884]	110-340 GeV χ_1 Mass $(m(\chi_1) < 10 \text{ GeV}, m(i, \bar{v}) = \frac{1}{2}(m(\chi_1) + m(\chi_1)))$		L=1.0 fb ⁻¹ , 7 TeV [1202.6540] 480 GeV d ₄	mass	
L=13.0 fb ⁻⁺ , 8 TeV [ATLAS-CONF-2012-154]	580 GeV $\chi_1 \text{ mass}_{(m(\chi_1^2) = m(\chi_2), m(\chi_1) = 0, m(l,v) \text{ as abov}} = m(\chi_2), m(\chi_1) = 0, m(l,v) \text{ as abov}$	re)	L=2.0 fb ⁻¹ , 7 TeV [1204.1265] 400 GeV b' ma	ISS	
L=13.0 fb ⁻¹ , 8 TeV [ATLAS-CONF-2012-154]	140-295 GeV χ_1 mass $(m(\chi_1) = m(\chi_2), m(\chi_1) = 0$, sleptons decoupled)		L=1.0 fb ⁻¹ , 7 TeV [ATLAS-CONF-2012-071] 483 GeV T r	mass (<i>m</i> (A ₀) < 100 GeV)	
L=4.7 fb ⁻ , 7 TeV [1210.2852] 22	20 GeV χ_1 mass $(1 < \tau(\chi_1) < 10 \text{ ns})$		L=1.0 fb ⁻¹ , 7 TeV [1112.5755] 900	GeV Q mass (coupling $\kappa_{qQ} = v/m_Q$)	
L=4.7 fb ⁻¹ , 7 TeV [1211.1597]	985 GeV 9 Mass		L=1.0 fb ⁻¹ , 7 TeV [1112.5755] 760 Ge	eV Q mass (coupling $\kappa_{aQ} = v/m_0$)	
L=4.7 fb ⁻ , 7 TeV [1211.1597]	683 GeV T IIIASS		L=2.1 fb ⁻¹ , 7 TeV [1112.3580]	2.46 TeV q* mass	
L=4.7 fb ⁻ , 7 TeV [1211.1597]	300 GeV T IIIass $(5 < \tan\beta < 20)$	~	L=5.8 fb ⁻¹ , 8 TeV [ATLAS-CONF-2012-088]	3.66 TeV q* mass	
L=4.4 fb ⁻ , 7 TeV [1210.7451]	700 GeV Q IIIaSS (0.3×10 < λ_{211} < 1.5×10 , 1 mm < ct <	(1 m,g decoupled)	L=4.9 fb ⁻¹ , 7 TeV [ATLAS-CONF-2012-023]	2.0 TeV e* mass (Λ = m(e*))	
L=4.6 fb ⁻ , 7 TeV [Preliminary]	1.61 TeV ∇_{τ} mass $(\lambda_{311}^2=0.10, \lambda_{132}=0.05)$))	L=4.8 fb ⁻¹ , 7 TeV [ATLAS-CONF-2012-023]	1.9 TeV μ^* mass ($\Lambda = m(\mu^*)$)	
	1.10 Iev $V_{\rm T}$ Indexs $(\lambda_{311}=0.10, \lambda_{1(2)33}=0.05)$		L=1.1-1.2 fb ⁻¹ . 7 TeV [ATLAS-CONF-2011-125] 470 GeV 0	ω_{\pm} mass ($m(\rho / \omega_{\pm}) - m(\pi_{\pm}) = 100 \text{ GeV}$)	
L=4.7 fb , 7 lev [AILAS-CONF-2012-140]	1.2 lev $q = g \text{IIIdSS} (c\tau_{LSP} < 1 \text{ mm})$		L=1.0 fb ⁻¹ , 7 TeV [1204.1648] 483 GeV 0	mass $(m(\rho)) = m(\pi_{\tau}) + m_{W}, m(a) = 1.1$	<i>m</i> (ρ))
L=13.0 fb , 8 lev [AILAS-CONF-2012-153]	700 GeV $\chi_1 \text{ IIIass}$ $(m(\chi_1) > 300 \text{ GeV}, \Lambda_{121} \text{ or } \Lambda_{122} > 0)$	0)	L=2.1 fb ⁻¹ . 7 TeV [1203.5420]	1.5 TeV N mass $(m(W)) = 2 \text{ TeV}$)
L=13.0 fD , 8 TeV [ATLAS-CONF-2012-153]	430 GeV THIASS $(m(\chi_1) > 100 \text{ GeV}, m(l_e) = m(l_\mu) = m(l_r), \kappa_{121} \text{ of } \kappa_{122} > 100 \text{ GeV}, m(l_e) = m(l_\mu) = m(l_r), \kappa_{121} \text{ of } \kappa_{122} > 100 \text{ GeV}, m(l_e) = m(l_\mu) = m(l_r), \kappa_{121} \text{ of } \kappa_{122} > 100 \text{ GeV}, m(l_e) = m(l_\mu) = m(l_r), \kappa_{121} \text{ of } \kappa_{122} > 100 \text{ GeV}, m(l_e) = m(l_\mu) = m(l_r), \kappa_{121} \text{ of } \kappa_{122} > 100 \text{ GeV}, m(l_e) = m(l_\mu) = m(l_r), \kappa_{121} \text{ of } \kappa_{122} > 100 \text{ GeV}, m(l_e) = m(l_\mu) = m(l_r), \kappa_{121} \text{ of } \kappa_{122} > 100 \text{ GeV}, m(l_e) = m(l_\mu) = m(l_r), \kappa_{121} \text{ of } \kappa_{122} > 100 \text{ GeV}, m(l_e) = m(l_\mu) = m(l_r), \kappa_{121} \text{ of } \kappa_{122} > 100 \text{ GeV}, m(l_e) = m(l_\mu) = m(l_r), \kappa_{121} \text{ of } \kappa_{122} > 100 \text{ GeV}, m(l_e) = m(l_\mu) = m(l_$	> 0)	/ =2.1 fb ⁻¹ , 7 TeV [1203,5420]	2.4 TeV $W_{\rm B}$ mass (m(N) <	(1.4 GeV)
L=4.6 fb , 7 lev [1210.4813]	666 Gev 9 IIIdss		$1 - 1.6 \text{ fb}^{-1}$ 7 TeV [1201 1091] 355 GeV H ^{±±} ma	SS	
L = 4.0 ID, 7 TeV [1210.4620]	$\frac{100-207 \text{ GeV}}{204 \text{ GeV}} = \frac{3910011111035}{100} (\text{Incl. Inflit from 1110.2095})$		/ =4.8 fb ⁻¹ 7 TeV [ATI AS-CONF-2012-038]	Scalar resonance ma	188
L=10.5 fb , 8 fev [ATLAS-CONF-2012-147]	704 GeV IVI 5 Cale $(m_{\chi} < 80 \text{ GeV}, \text{ limit of } < 687 \text{ GeV for})$	08)			
10 ⁻¹	1 1	0	10 ⁻¹	1	10 1
too or phonomone shows		Mass scale [TeV]			Mass scale [TeV
es or prienomena snown.					

Two distinct paths...

Weakly coupled extensions

(e.g. ``standard" SUSY)



- EW scale generated radiatively?,
- A desert above few TeV?,...
- Gauge coupling unification?

Strongly coupled extensions

(e.g. XDim, Little Higgs, Non-standard SUSY, ...)



- Nature of physics above Λ ? Defer.
- Need a scalar that is light compared to Λ (generically , a ``little hierarchy" problem)

Extra dimensional theories non-renormalizable: necessarily have a cutoff Λ not far above compact. scale

→ want compactification scale close to the EW scale

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Several varieties:

	Minimal implementations (S	SM in D-dim) SM in D-dim) CM candidate (``KK photon")
Flat extra dimensions	Other variations such as ``Sp	plit-UED" \longrightarrow more visible, hence more constrained
	$(Large XDim (ADD) \longrightarrow)$	``Fundamental" scale being steadily constrained (e.g. $M_D \gtrsim 4.5$ TeV for $\delta = 2$)

(Drir production single prod at loop

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LHC making headway in constraining such scenarios...

Friday, December 14, 12

Theoretical Filtering

Low cutoff (strong dynamics) is dangerous from the point of view of flavor/CP violation

An interesting solution arises from the possibility to localize fields along the XDim

This further allows to understand hierarchies such as the SM fermion masses (based on ``anarchy")



Identification of Higgs as the extra-dimensional polarizations of appropriate 5D gauge fields (not the SM ones)

----- Hard to make the idea realistic in flat space, but viable in warped space.

May address ``little hierarchy" problem. Higgs loops cut at $M_{
m KK}$, not Λ

Warped constructions, via AdS/CFT correspondence concepts, can be reinterpreted as 4D theory:

Strongly coupled (approximately) conformal field theory. Conformality spontaneously broken at TeV scale.

Localization \leftrightarrow realization of partial compositeness

D.B. Kaplan, (1991) Contino, Kramer, Son & Sundrum (hep-ph/0612180)

Low-energy constraints

To put the LHC bounds (1-2 TeV) in context, recall low-energy constraints from EW precision tests:



With significant model building, can get $M_{\rm KK} > 3 - 4 {\rm TeV}$

Producing such resonances is a high luminosity proposition...

Agashe, Belyaev, Krupovnickas, Perez & Virzi (hep-ph/0612015) Agashe, et. al. (0709.0007)

However, some fermionic KK resonances (``top partners") can be significantly lighter...

ATLAS has performed a search for a Q = 5/3 quark: lower bound at 670 GeV



What about SUSY?

Previous Expectations: SUSY

Largest radiative contribution to Higgs mass parameter from a colored object (the top quark)

→ Suggests that mechanism of EWSB ``knows" something about QCD
 Hadron machines: apart from other considerations, ideal to exploit such a handle
 In fact, many BSM proposals involve plenty of strongly interacting new particles...
 A case in point: SUSY and production of squarks and gluinos

But our expectations for early discovery of SUSY particles relied not just on QCD production, but on SUSY QCD contributions. For instance



The t-channel gluino contributions are very significant, and decouple slowly with gluino mass! This depends on ``gluino-number" violation, i.e. its Majorana nature (an interesting point on its own)

Dirac Gluinos at the LHC

But what if gluinos carry a conserved quantum number?

See also: Choi et. al. 0808.2410; 0911.1951; 1005.0818; 1012.2688 Heikinheimo, Kellerstein & Sanz, 1111.4322 Kribs & Martin, 1203.4821 Espinosa, Grojean, Sanz & Trott, 1207.7355

$$ar{q}_L$$
 \frown \widetilde{q}_L $\propto \frac{1}{m_{ ilde{g}}^2}$ vs

(Pseudo) Dirac Nature: $\sigma (qq' \to \tilde{q}_L \tilde{q}'_L) = \sigma (qq' \to \tilde{q}_R \tilde{q}'_R) = 0$ & $\sigma (q\bar{q}' \to \tilde{q}_L \tilde{q}'_R) = 0$ $\sigma_{\text{Dirac}}^{\text{Tot}} (\tilde{q}\tilde{g}) = \sigma_{\text{Majorana}}^{\text{Tot}} (\tilde{q}\tilde{g})$ $\sigma_{\text{Dirac}}^{\text{Tot}} (gg \to \tilde{g}\tilde{g}) = \mathbf{2} \sigma_{\text{Majorana}}^{\text{Tot}} (gg \to \tilde{g}\tilde{g})$



A Sample of SUSY Constraints



Friday, December 14, 12

Suppressed Production

Frugiule, Grégoire, Kumar & EP, 1210.0541 & 1210.5257

An illustration within a specific model:

- Suppressed production allows for lighter new physics
- Experimental analyses optimized to push the ``energy frontier". Currently, poor efficiencies at moderate scales, hence even weaker constraints!

Generic SUSY searches (ATLAS and CMS)

- jets + E_T
- 1, 2 or more leptons + jets + $\not \! E_T$
- $Z(II) + jets + \not E_T$
- SS dilepton searches

More dedicated searches

- Searches with 1, 2 or more b-tags
- Searches involving au's
- Searches involving tops in final state



A conserved ``gluino number" can naturally arise from an (approximate) R-symmetry, which forbids Majorana masses \longrightarrow Dirac gauginos require additional degrees of freedom

Further implications:

LH and RH sfermions have opposite charges: No LR mixing (A-terms and μ -term vanish)

$$u_L^* \quad u_R^* \left(\begin{array}{cc} m_{\tilde{U}_L}^2 & 0 \\ 0 & m_{\tilde{U}_R}^2 \end{array} \right) \left(\begin{array}{cc} u_L \\ u_R \end{array} \right)$$

 $\cot \beta$

Turns out that this structure suppresses significantly SUSY flavor violation! Kribs, Poppitz & Weiner, 0712.2039 see also Fok & Kribs, 1004.0556

Could the $U(1)_R$ symmetry play the moral analogue of the GIM mechanism?

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An example of current interest:

 $\tan \beta$ enhanced diagrams in the MSSM:

$$B_s \to \mu^+ \mu^-$$



All proportional to M_{λ} , μ or *A*-terms \longrightarrow vanish in the R-symmetric limit In the MSSM: $(\tan \beta)^6$ enhancement simply indicates that $\tan \beta$ cannot be too large

Friday, December 14, 12

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No $\tan\beta$ enhancement



cot Ø

Perhaps interesting!

Can play a role in making EWBG viable!

Kumar and EP, 1107.1719

Lepto-quark Searches



Friday, December 14, 12

Lepto-quark Searches



Conclusions

• We are still far from establishing a fully satisfactory answer to the question of how the breaking of the EW symmetry comes about

(The Higgs boson: a crucial step in this direction, apart from a remarkable experimental and theoretical achievement)

- The question of ``naturalness of the weak scale" is conceptually important. Theoretical ideas have been strongly inspired by it... the LHC is just starting the journey to a possible answer.
- Important to look for ``light" physics with suppressed production cross sections...

... not just to push the ``energy frontier boundary"

• Should look forward to the LHC shutdown, when the collaborations will have the time to explore more fully the recorded data... and of course to the 14 TeV run!