# Monte Carlo simulation of production of squarks in proton-proton collisions to $\sqrt{s} = 7 \text{ TeV}$

Roger Rodrigo Galindo Orjuela Dept. Física Universidad Técnica Federico Santa María, Valparaíso - Chile

#### Abstract

I present a study in order to determine the possibility of finding supersymmetric signals in p-p collisions at 7 TeV in the center of mass as could be to get in LHC experiments. I perform an analysis, in the mSUGRA model, of squarks with muons of different sign in the final state, jets and missing transverse energy. I compare with simulated events of QCD and  $t\bar{t}$  with the same final states, using cuts and filters in order to reduce the background of the Standard Model and determine the fraction between the noise and the signal for the detection of squarks. I employ the mass region LM2 and use the Pythia and Geant4 packages, which allow to simulate the p-p collisions and a typical detector in the LHC experiments.

#### mSUGRA Parameters and Signal Simulated

Values of mSUGRA parameters in the range of mass LM2 [?]

$m_0 \; (\text{GeV})$	$m_{1/2} \; ({\rm GeV})$	$\tan\!\beta$	$\operatorname{sign}(\mu)$	$A_0$
185	350	35	+	0

Simulated signals and background

Signal	Number of Events	$\sigma(\text{pb})$	Luminosity $(pb^{-1})$
SUSY LM2	150000	0.8565	175131.34851
QCD	500000	25470	19.63094
$t\bar{t}$	200000	94.3	2120.89077

#### Analysis of Jets

Kinematics cuts to selection of jets

Variable	Cut
$p_T$	$\geq 30 \text{ GeV}$
$ \eta $	$\leq 2.4$
Electromagnetic Fraction	$\geq 0.1$

Número de jets

#### Sketch of the proof

Our proof is a generalization of a method used in unpublished notes by Ph. Laurençot and S. Mischler [6], inspired by the proof of uniqueness of solutions to the Becker-Döring equation in [7].

It is known that, under common assumptions, there is always at least weak convergence to a certain equilibrium state; the problem reduces to show that for an initial density under the critical one solutions converge *strongly* to the equilibrium with the same density. To prove this, it is enough to show that the tails of the solutions are small enough, so that strong convergence holds. The following estimate, roughly stated here, is the key of our proof:

## Main estimate

If  $c = \{c_i\}_{i>1}$  is a solution to the generalized Becker-Döring equations with density below the critical one, then there is some sequence  $r_i$  (which tends to zero as  $i \to \infty$ ) such that the tails of the solution have mass below  $r_i$ : this is,

$$\sum_{k=i}^{\infty} k c_k(t) \le r_i$$

for all times t after some time  $t_0$ .

The proof of this consists mainly of an estimate obtained by differentiating

certain  $t_0$ .

### References

- (1986)
- (1988)
- equations for general initial data, preprint.
- (1998)
- munication.

the quantity  $H_i := (G_i - r_i)_+$  (the positive part of  $G_i - r_i$ ), proving with a differential inequality that it must remain zero for all times starting from a

[1] J. M. Ball, J. Carr, O. Penrose, The Becker-Döring cluster equations: basic properties and asymptotic behaviour of solutions, Comm. Math. Phys. 104, 657-692

[2] J. M. Ball, J. Carr, Asymptotic behaviour of solutions to the Becker-Döring equations for arbitrary initial data, Proc. Roy. Soc. Edinburgh Sect. A, 108, 109-116

[3] J. A. Cañizo, Asymptotic behavior of solutions to the generalized Becker-Döring

[4] J. Carr, F. P. da Costa, Asymptotic behaviour of solutions to the coagulationfragmentation equations. II. Weak fragmentation, J. Stat. Phys. 77, 89–123 (1994) [5] F. P. da Costa, Asymptotic behaviour of low density solutions to the generalized Becker-Döring equations, NoDEA Nonlinear Differential Equations Appl. 5, 23–37,

[6] Ph. Laurençot, S. Mischler, Notes on the Becker-Döring equation, personal com-

[7] Ph. Laurencot, S. Mischler, From the Becker-Döring to the Lifshitz-Sluozov-Wagner equations, J. Statist. Phys. 106, 5-6, pages 957–991 (2002).