Real Time Vision

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ICTP-SAIFR-2014 Dynamical Systems in Biology

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Experiments: I. Zuccoloto



- 2 The fly et al.
- 3 Experiments
- 4 How to encode and decode the stimulus?
- 5 How can we read other stimulus properties?

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How to reconstruct the external world - in particular how to understand what I am talking about - from a sequence of identical electrical pulses propagating information in your cortex?

■ External world → Sensory Sistems → Processing Stages (*Thalamic Nuclei*)-Cortex → Motor System etc.

Example: Visual System

Reconstruct scenes in REAL TIME

Problems:∞.....

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ORDER in CHAOS.

Could this be the defining property of our brain!?

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- This is an *ill* posed problem \rightarrow
- Even as signals are decoded (unprevious and the past of the second decoded (unprevious and the past)
- # Holds: Our visual system is obsessed with continuity - extract edges, overcome occlusion problems etc.

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2D information should include:

- 1 Information about surfaces and their depth (Marr D2.5)
- Location and boundaries of the main objects in the scene albedos, light sources

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- Grouping of objects etc
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Extracting Discontinuities: Columns and Ocular Dominance



Retinotopic representations preserve neighbourhoods \rightarrow allow us to maintain continuity.

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- Motivation

Simplifications are essential - WHICH ONES???

- Problems with depth, occlusion and continuity are terrifying obstacles to overcome in 3D scene reconstruction.
 Let us simplify our life!!
- Compare the treatment of the lsing-model in the presence of a magnetic field in one and two dimensions!!

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Find the free fall analogy

Which properties are important and which ones we can neglect?

- 2 Once importance is decided, how can it be validated? How can we measure it?
- Assume: Positions of edges are the main features of the scene.

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Coding Precision

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The fly's visual system





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Experiments

Recording from left and right H1



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Experimental Setup



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Experiments

Recording from H1



Spikes from H1



- Experiments

Raster plot for a typical experiment

Show repeatedly the same stimulus for t = 1:5000 and different stimuli from t = 5001:10000. Plot the occurrence of a spike as a dot, aligning the repetitions one on the top of the next...



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Show spiking-onset and delay after zero-crossings = edges/discontinuities



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- Experiments

Raster from left and right H1 with contralateral simulation





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Reconstructing the stimulus from spike trains

Suppose we want to reconstruct the stimulus from the response of a single H1 neuron. We represent this response as a spike train

$$\rho(t) = \sum_{i=1}^{N_s} \delta(t - t_i),$$

which is a sum of delta functions at the spike times t_i . N_s is the total number of spikes generated by the neuron during the experiment.

The simplest reconstruction extracts the stimulus estimate via a linear transformation

$$s_e(t) = \int_{-\infty}^{\infty} k_1(\tau)\rho(t-\tau)d\tau$$
(1)

- with the kernel $k_1(t)$ to be determined.

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In practice on the computer

Everything is discrete \rightarrow bin the time. Select a reconstruction size of e.g. n = 64 bins and chop $\rho(t)$ into vectors of length n. $K_{i,j}$ will be a matrix of size $n \cdot n$ and $S_e(t)$ a row of length n.



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Complete Volterra Series

The complete series would be like:

$$s_e(t) = \int_{-\infty}^{\infty} k_1(\tau)\rho(t-\tau)d\tau +$$
(2)

$$\int_{-\infty}^{\infty} k_2(\tau_1, \tau_2) \rho(t - \tau_1) \rho(t - \tau_2) d\tau_1 d\tau_2 + \dots$$
 (3)

- with the kernels $k_1(t), k_2(t)$ to be determined.

There is no convergence proof for this expansion, but heuristically we may say that it should be a valid approximation, if the average number of spikes per correlation time τ_c is small.

Determining the kernels

The kernels are determined, minimizing the χ^2 :

$$\chi^{(2)}(k_1, k_2) = \langle \int dt [s(t) - s_e(t)]^2 \rangle.$$
(4)

The brackets stand for an ensemble average with respect to the distribution of all possible stimuli. In a long experiment we average over $N_w \sim 10^5$ time windows of size T_w . Typically $T_w \sim 100$ milliseconds.

Since the functional equ.(4) is quadratic, the equations minimizing $\chi^{(2)}(k_1, k_2)$ are linear. They involve correlation functions like:

 $\begin{array}{l} \langle s(t)\rho(t')\rangle, \langle \rho(t)\rho(t')\rangle, \\ \langle s(t)\rho(t_1)\rho(t_2)\rangle, \\ \langle \rho(t_1)\rho(t_2)\rho(t_3)\rho(t_4)\rangle \\ \text{etc.} \end{array}$

For a window of size $T_w = 128$, the matrices are of size $\sim (128^2 \cdot 2^2) \times (128^2 \cdot 2^2) \sim 10^{10}!$ Enter a gaussian-like approximation:

$$R^{(4)}(1,2,3,4) =$$

$$\mathbf{A}[R(1,2)R(3,4) + R(1,3)R(2,4) + R(1,4)R(2,3))] - \mathbf{B}$$



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1 The constants A and B are found to be independent of window-size T_w .

2 The 2-point function $R(t_1, t_2)$ is real, positive and symmetric in t_1, t_2 , \rightarrow complete set of eigenfunctions $\sim f_{\mu}(t)$: Expand everything in terms of $f_{\mu}(t)$:

$$\int dt_1 dt_2 f_\mu(t_1) R(t_1, t_2) f_\nu(t_2) = \delta_{\mu\nu}.$$
 (5)

Avoid large matrix inversions.

3

$$\mathcal{R}_{\mu\nu\alpha\beta} = A(\delta_{\mu\nu}\delta_{\alpha\beta} + 2\delta_{\mu\alpha}\delta_{\nu\beta}) - 2B\,n_{\alpha}n_{\beta}n_{\mu}n_{\nu}, \quad (6)$$

where $n_{\mu} = \int dt f_{\mu}(t) \langle \rho(t) \rangle$.

4 Set up a $k_{12} \star \rho_1 \star \rho_2 \sim 1\%$ -effect perturbation theory.

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Stimulus Reconstruction via Volterra Series

- viewed thru a Gaussian kernel



Rotational Stimulus Reconstruction

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What are the shortcomings?

• Encode: $S(t) \rightarrow \rho(t)$ Dimensional Reduction \rightarrow Relevant features ?

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Decode: $\rho(t) \rightarrow S(t)$ Reconstruction in real time Updating correlation functions !!!!!! How to encode and decode the stimulus?

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Decode: $\rho(t) \rightarrow S(t)$ Reconstruction in real time Updating correlation functions !!!!!!

Entropy Reduction and Coding Efficiency



Entropy Reduction and Coding Efficiency



How to encode and decode the stimulus?

Guess what is important

Do we want to turn left or right ?

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Guess what is important

Do we want to turn left or right ?



We expect utterly different H1 responses for the complete and the boxed stimulus!! Remember the nice reconstructions!

Boxed and Complete Stimulus Rasters



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Same Mutual (Shannon) Information and Entropies

Global quantities - time ordering is lost



• Mutual Information $I(\rho) \equiv$ Mutual Information $I(\rho_B)$

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Same Mutual (Shannon) Information and Entropies

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• Mutual Information $I(\rho) \equiv$ Mutual Information $I(\rho_B)$

Interval and Word Distributions of $\rho(t)$ and $\rho_{Boxed}(t)$



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Embed spikes into a D-dimensional euclidean space

Different stimuli with same zero-crossing and same statistics (No boxed stuff - it is not natural!)

A spike-time sequence with D spikes is uniquely represented as a point \vec{r} in a D-dimensional euclidean space: we don't loose the timing-structure!

- a: Euclidean distances between $\vec{r_o}$ and $\vec{r_f}$: $\langle |\vec{r_o} \vec{r_f}| \rangle$ vs. D. The averages $\langle . \rangle$ are over all ZC's.
- **b:** Cosine between $\vec{r_o}$ and $\vec{r_f}$: $\langle \cos(\vec{r_o}, \vec{r_f}) \rangle$ vs. \vec{D} . **c:** Mean of aligned spike-times after ZC's for ρ_o and ρ_f .



Mean distance/cosines for various stimuli

Mean/variance of spike-times

For complete elucidation of the neural code, we would need an order of magnitude more data.

Reconstructing Spiking Onset

How to reconstruct the stimulus in REAL TIME?

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 CONCLUSION: Zero-crossings(*) are of paramount importance, they are almost everything the fly encodes. The total mutual information is ~ equal to information necessary to encode zero-crossings.





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- 2 The fly et al.
- 3 Experiments
- 4 How to encode and decode the stimulus?
- 5 How can we read other stimulus properties?

Rate and Slopes - Intervals code for the piecewise linear stimulus



Rate

First Intervals vs. Slope.

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Knowing one interval, we can estimate the stimulus in

REAL TIME!

Conclusions red=true, green=hope !

1 It is possible to know the meaning of each spike/spike-sequence!

- 2 It is possible to decode the sequence in real time!
- 3 Fast sensory modules are simple and robust.
- There are no fast, simple and robust *all-purpose* modules in the brain.
- The bottom-up approach can be succesful.
- The brain is indeed complex, but understandable.
- There are many problems to be attacked and questions to be asked by the audience!

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THANKS



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