

Could low-efficacy malaria vaccines increase secondary infections in endemic areas?

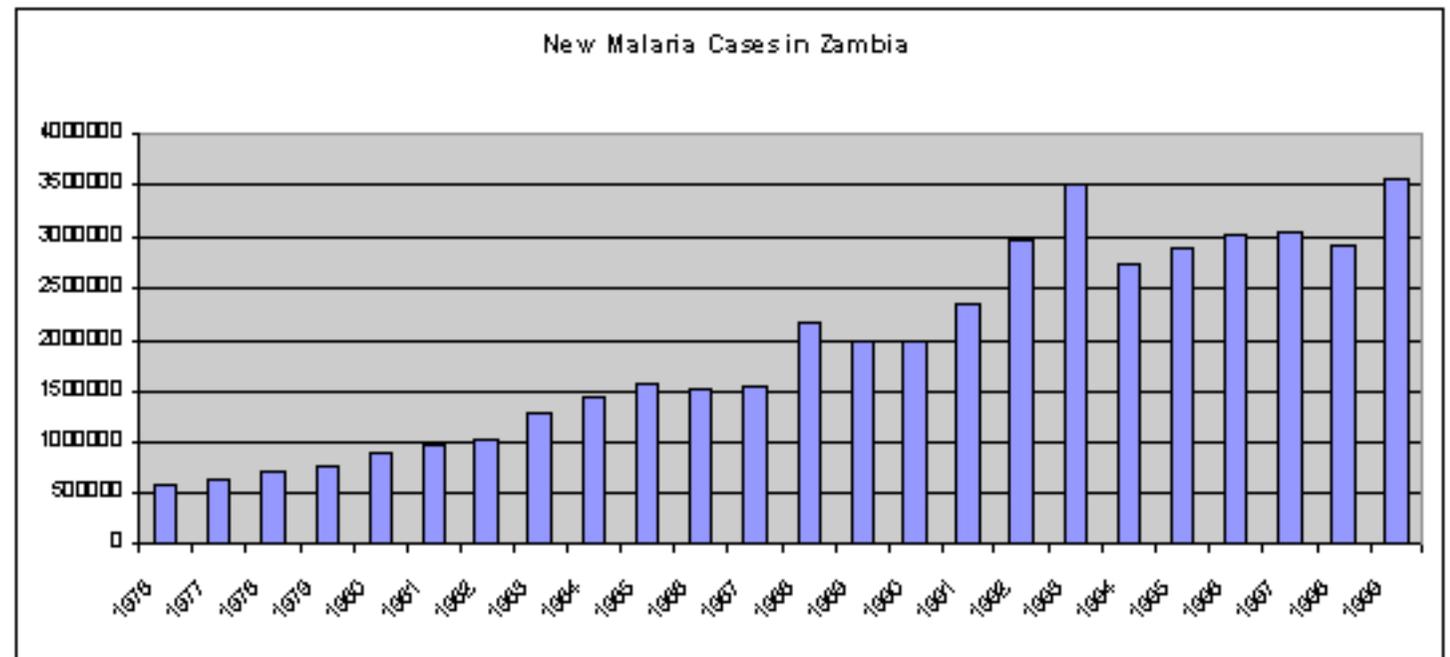
Robert Smith?

The University of Ottawa



Malaria

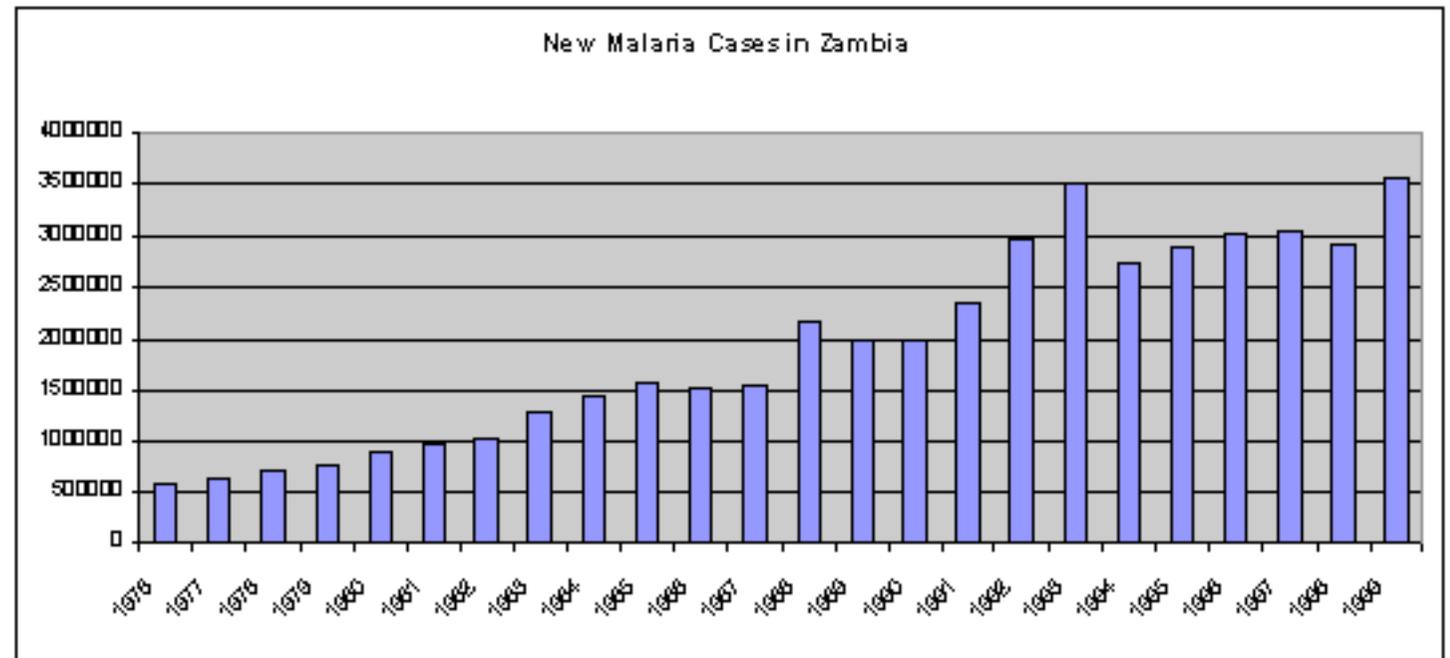
- One of the most important human diseases throughout the tropical and sub-tropical regions of the world



Source: NMCC Central Board of Health, 2000

Malaria

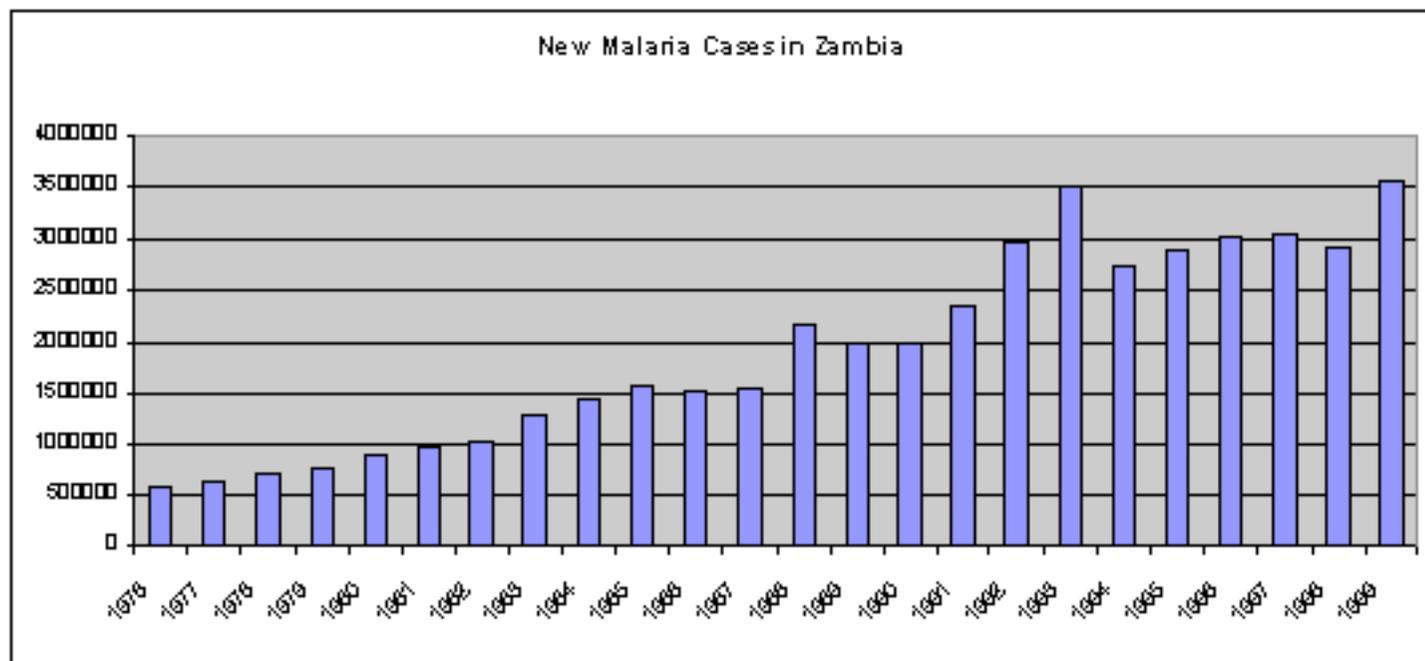
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- More than 300 million acute illnesses each year



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Malaria

- One of the most important human diseases throughout the tropical and sub-tropical regions of the world
- More than 300 million acute illnesses each year
- 1,000,000 deaths annually.



Source: NMCC Central Board of Health, 2000

Symptoms

- Repeated episodes of fever

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- Anemia

Symptoms

- Repeated episodes of fever
- Anemia
- Death.

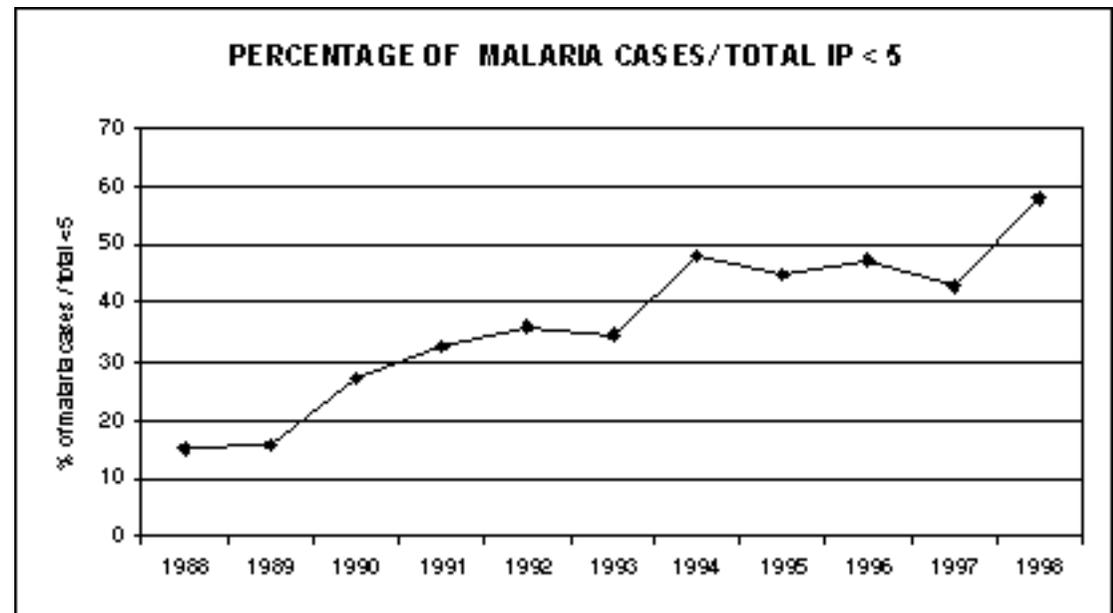


Endemic areas

- 90% of malaria deaths occur in sub-Saharan Africa

Endemic areas

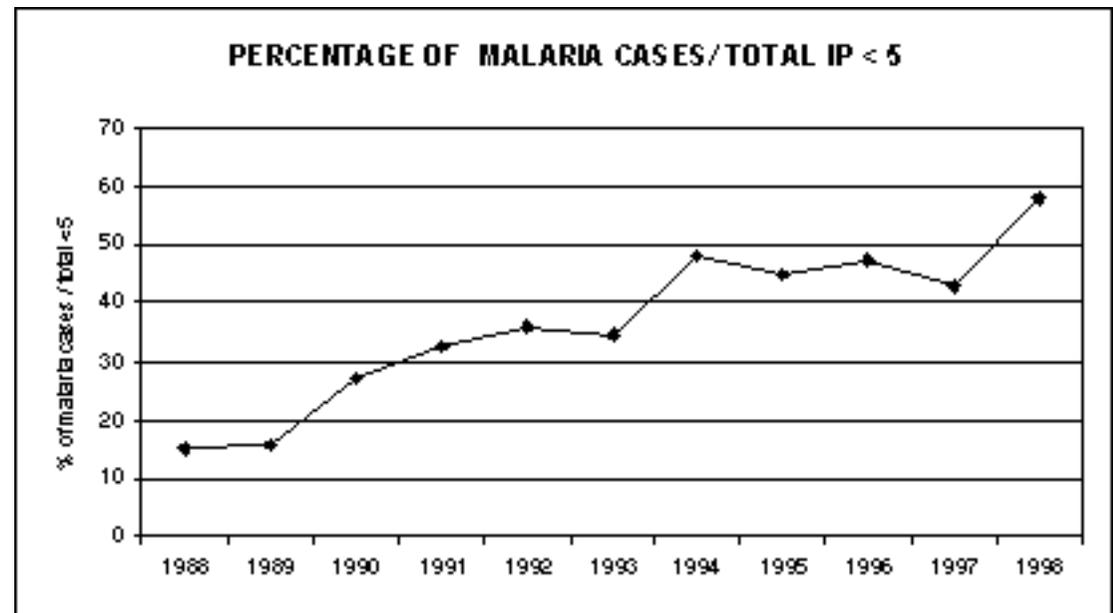
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- Mostly among young children



Admissions to St. Kitso-Matany hospital, Uganda

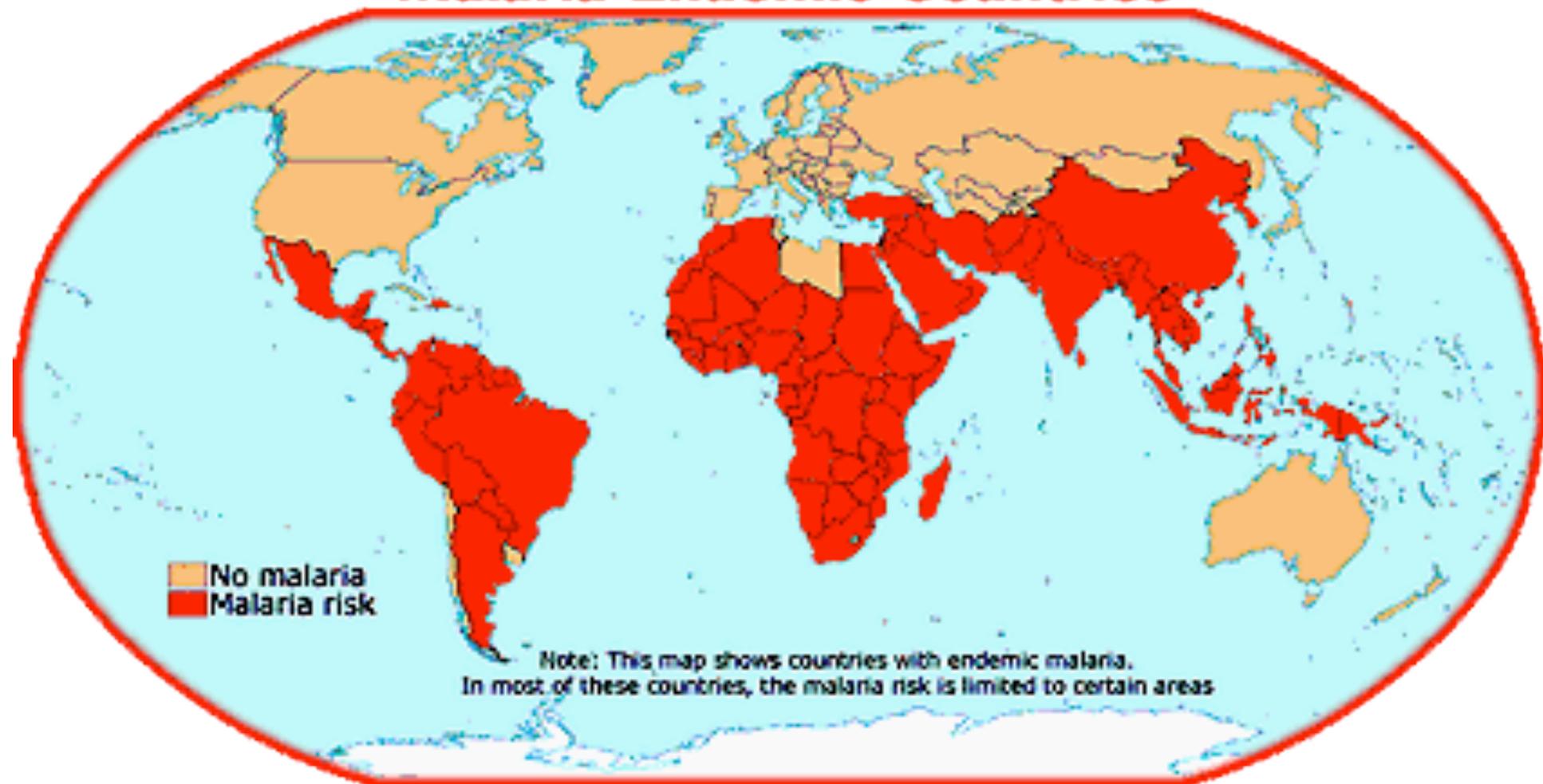
Endemic areas

- 90% of malaria deaths occur in sub-Saharan Africa
- Mostly among young children
- Even when it doesn't kill, acute illness can devastate economies in the developing world.



Admissions to St. Kitso-Matany hospital, Uganda

Malaria Endemic Countries



Malaria vaccines

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- Recently, a candidate vaccine (RTS,S/AS01) completed Phase III trials
- It cut the risk of developing severe malaria by 26%
- The efficacy in infants was only 31%.

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RTS,S/AS01 vaccine (Mosquirix)

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- Phase III trial completed in 2012
- Currently in development commercially
- Not expected on the market for a few years.



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- However, they are likely to have poor efficacy, at least initially
- This may result in a net increase in infections.

Candidate vaccines

- Such vaccines permit infection but reduce parasite burden



Candidate vaccines

- Such vaccines permit infection but reduce parasite burden
- We call these “disease-modifying” vaccines.



Disease-modifying vaccines

Disease-modifying vaccines may:



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- allow you to become infected



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- reduce your duration of infection



Disease-modifying vaccines

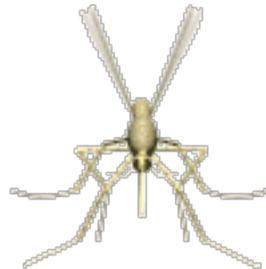
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Potential effects

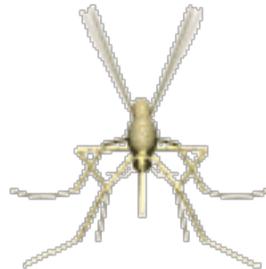
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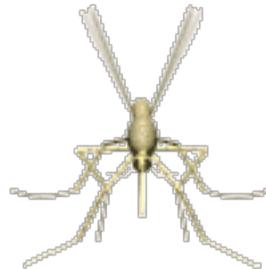
- i. increasing the recovery rate



Potential effects

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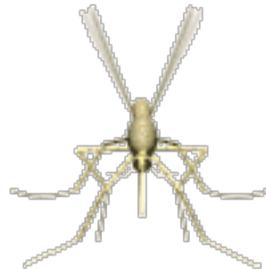
- i. increasing the recovery rate
- ii. increasing the acquired immunity rate



Potential effects

Potential effects from a malaria vaccine could include:

- i. increasing the recovery rate
- ii. increasing the acquired immunity rate
- iii. reducing the rate of infection.



Limitations

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- ii. the vaccine may be “take” in a proportion ε of people vaccinated
- iii. the vaccine may wane at rate ω
- iv. the vaccine may have suboptimal efficacy ψ .

Efficacy

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- permit infection the remaining 65% of the time
- lower your parasite burden once you became infected
(so you're less likely to transmit the disease).

Four groups

For any vaccine, there are four groups:

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a) those who never received the vaccine;

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'Vaccinated' individuals

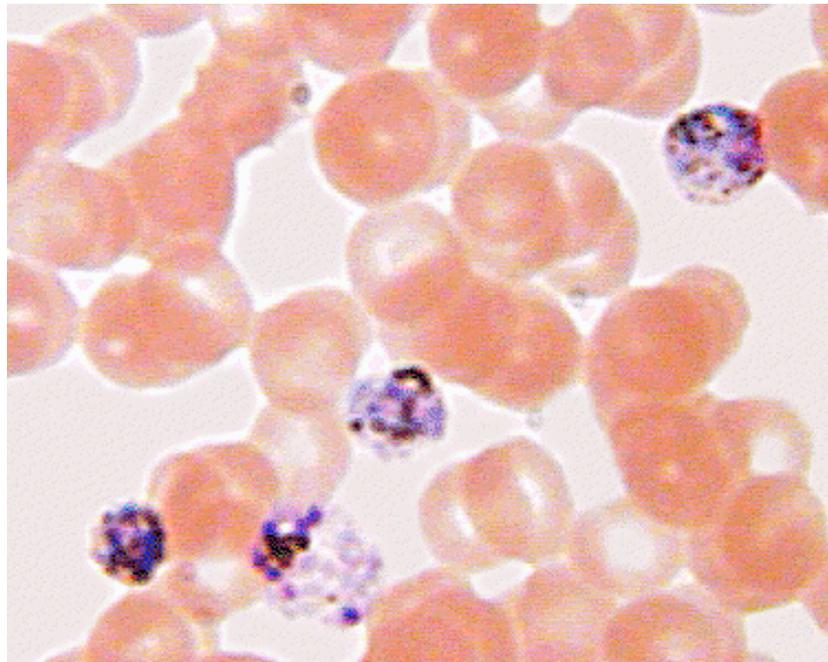
- 'Unvaccinated' individuals = groups (a)-(c)

'Vaccinated' individuals

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- 'Vaccinated' individuals = group (d).

Vaccinated individuals

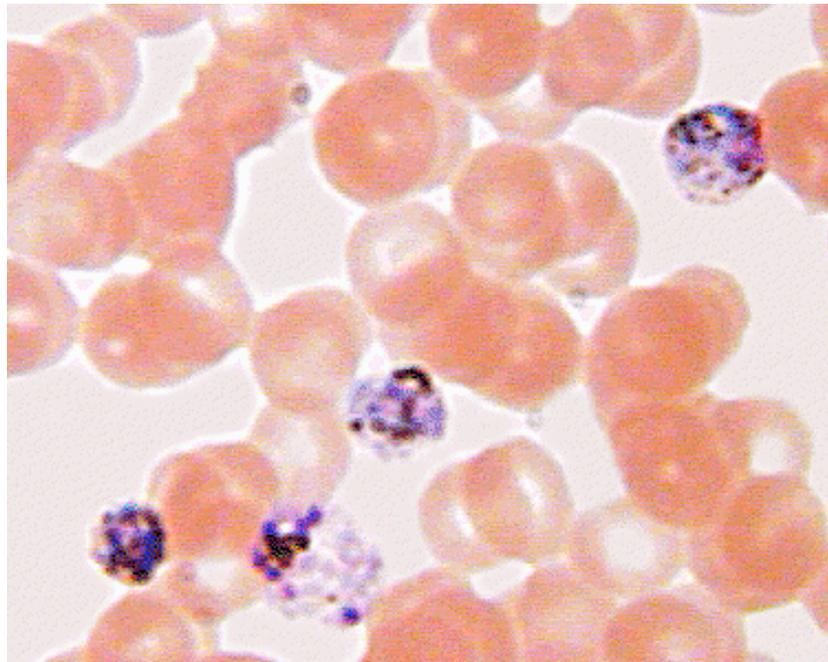
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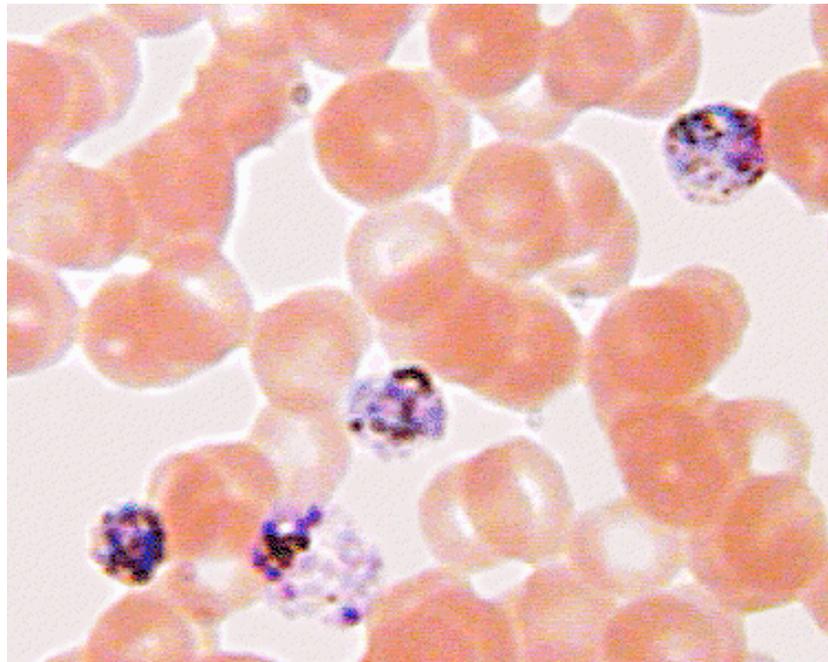
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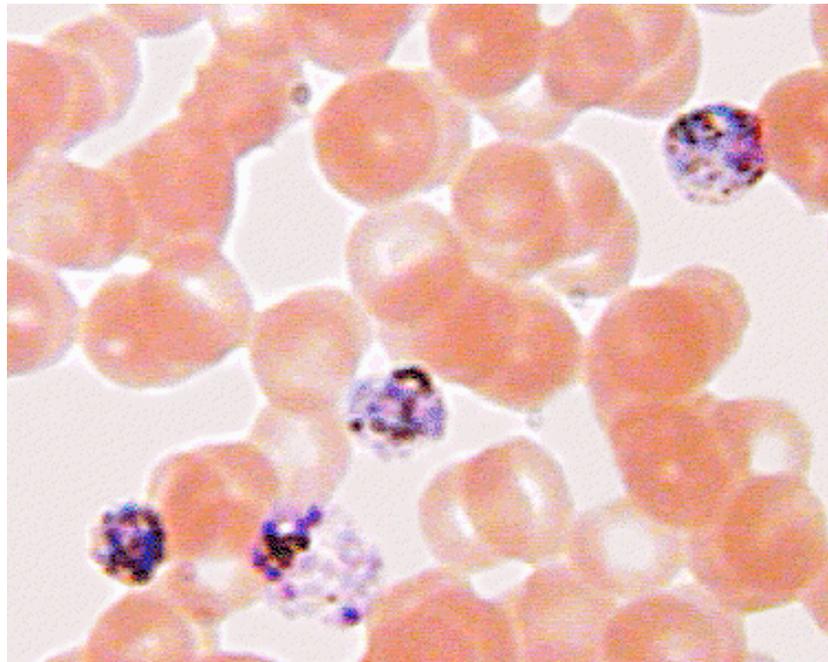
- a reduced rate of infection
- increased life expectancy



Vaccinated individuals

Vaccinated individuals may have

- a reduced rate of infection
- increased life expectancy
- faster recovery.



Duration of infection

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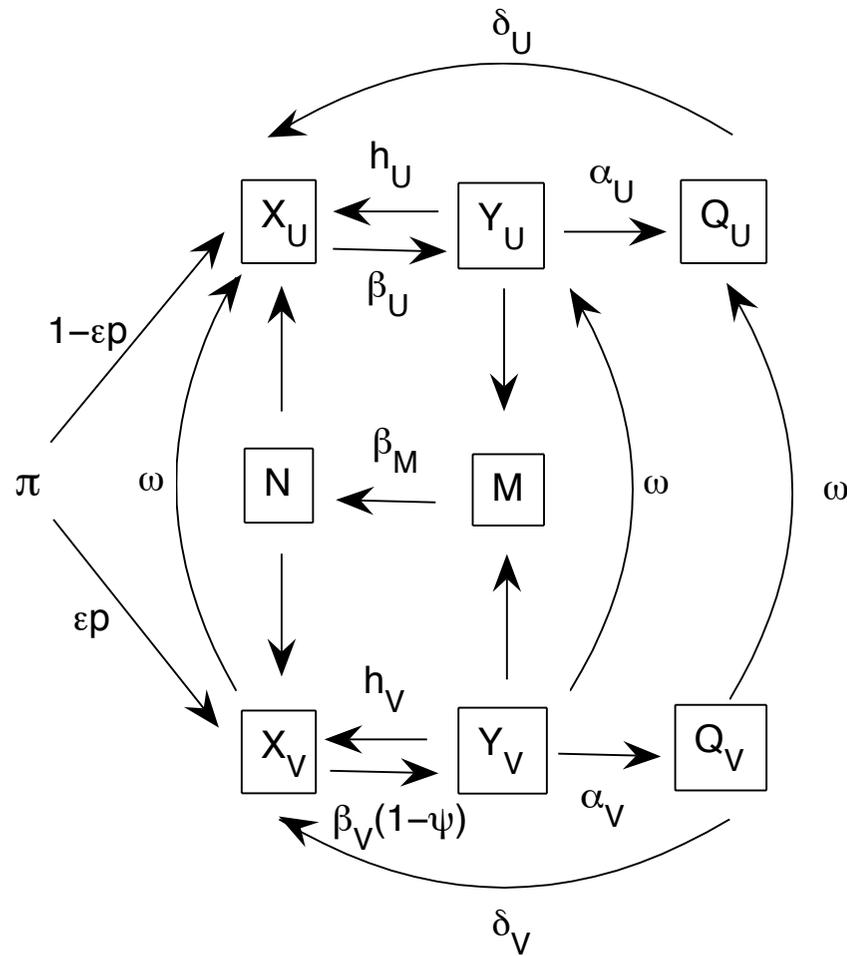
- decrease (due to higher recovery rates)

Duration of infection

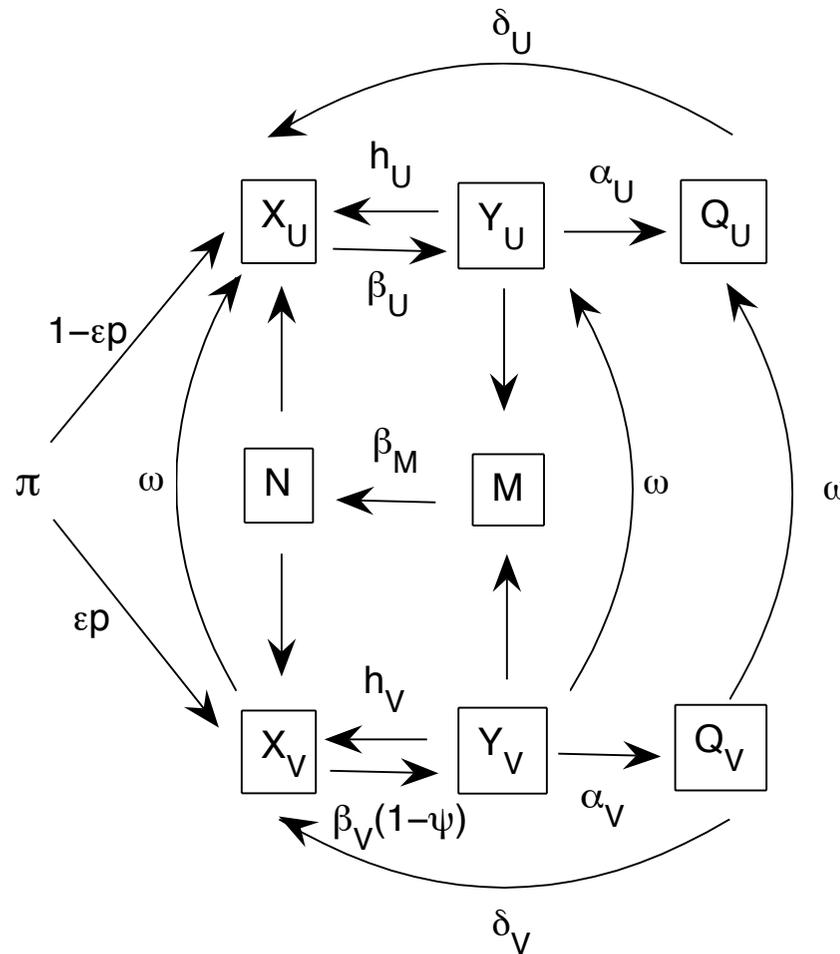
Thus the duration of infection for 'vaccinated' individuals may

- decrease (due to higher recovery rates)
- increase (due to fewer deaths).

The model

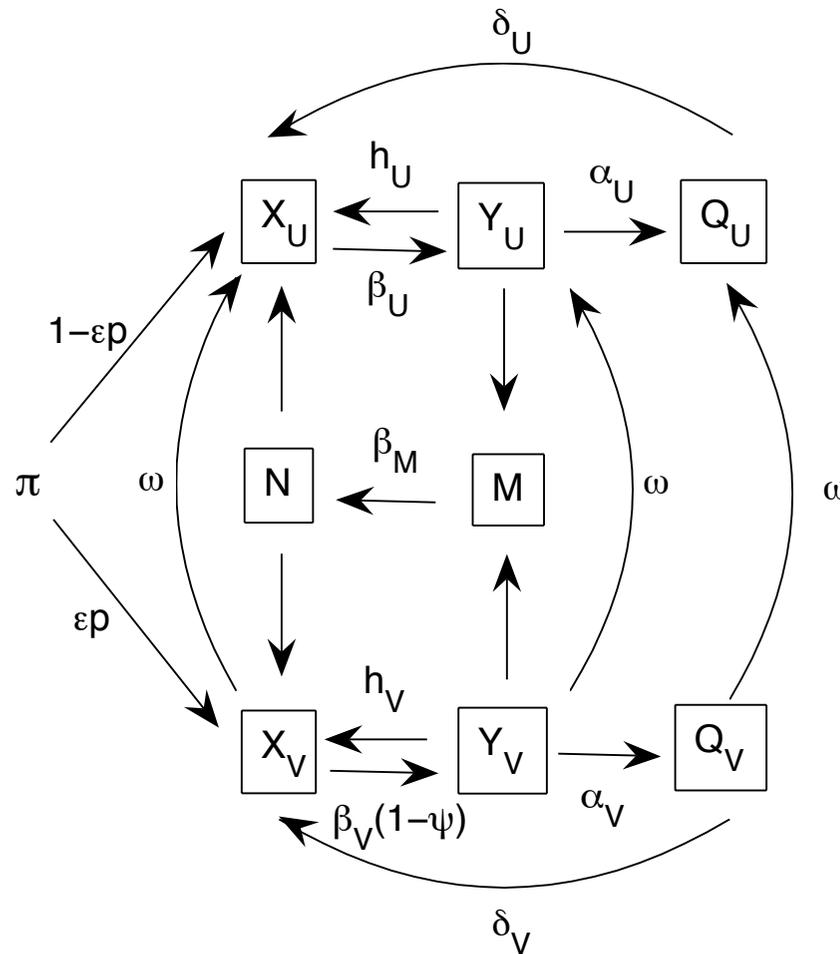


The model



UNVACCINATED

The model

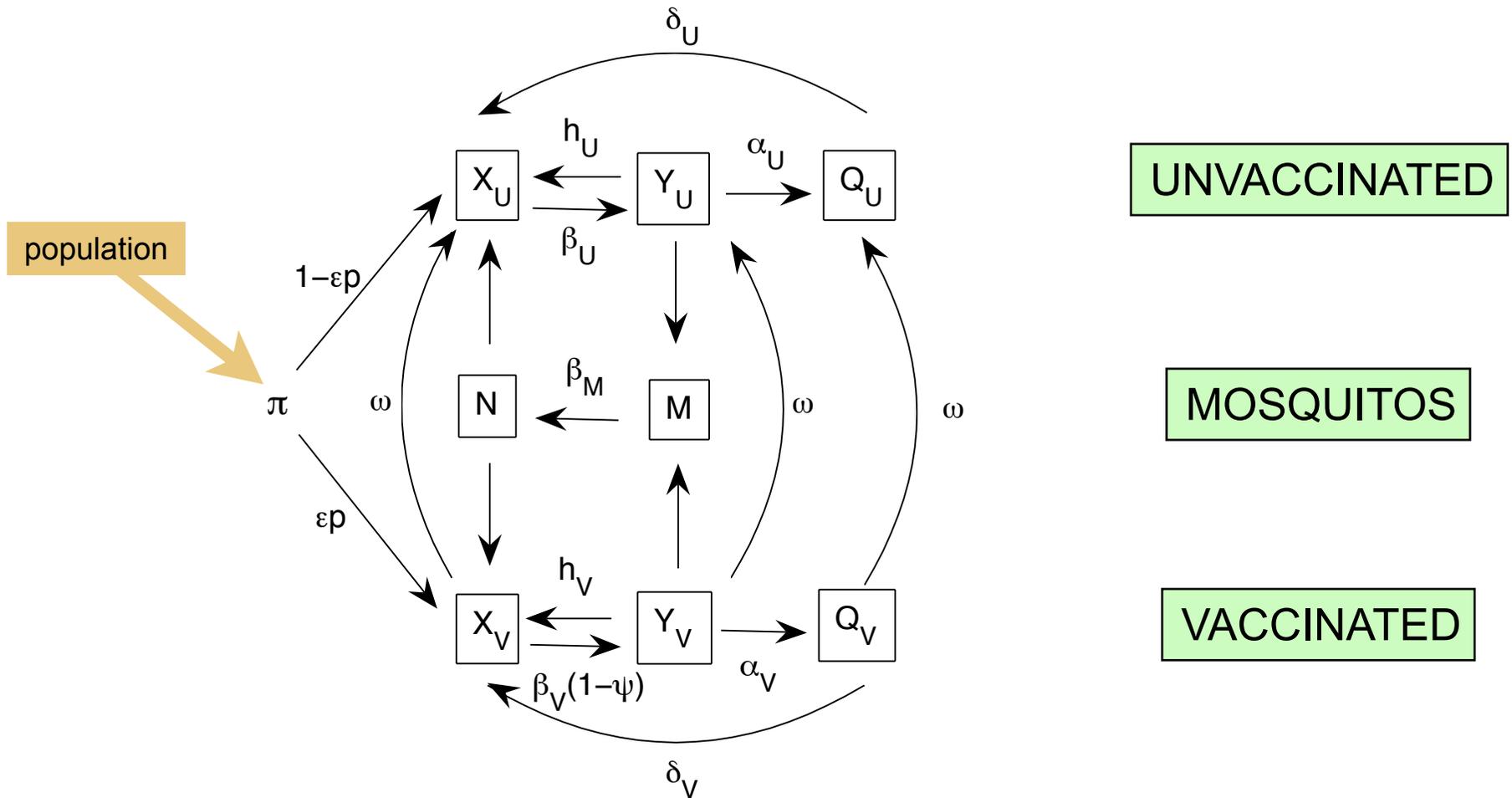


UNVACCINATED

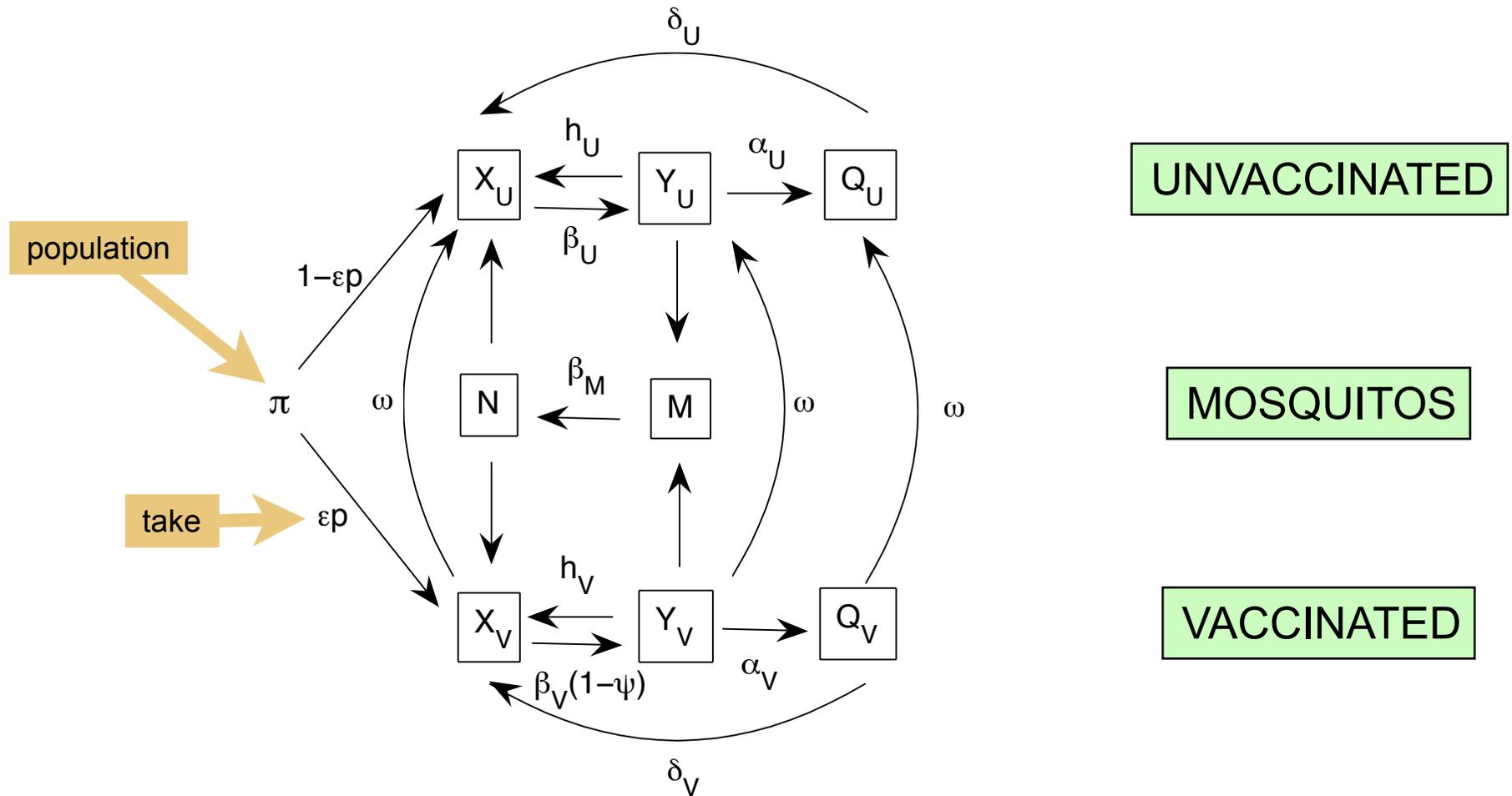
MOSQUITOS

VACCINATED

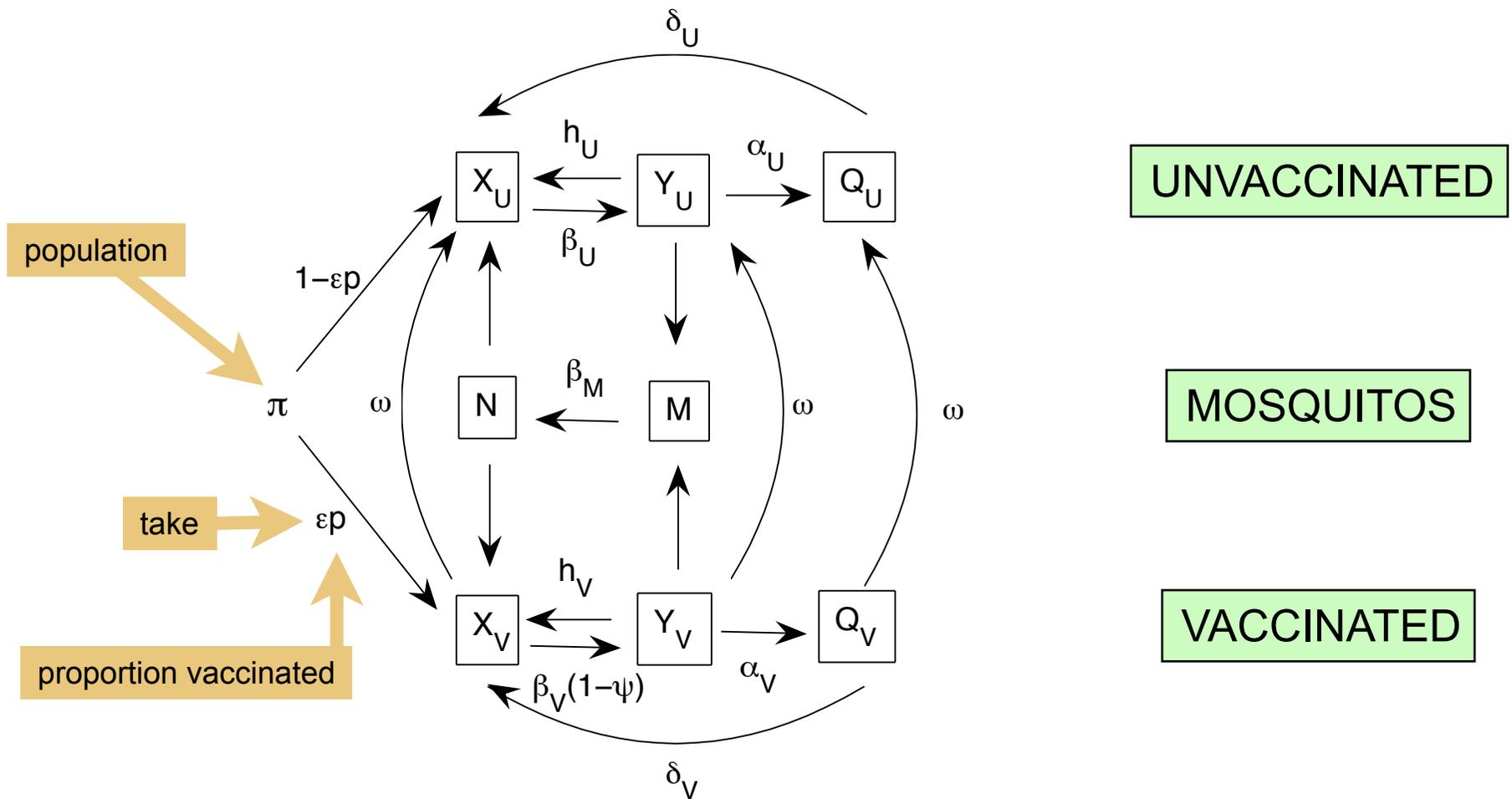
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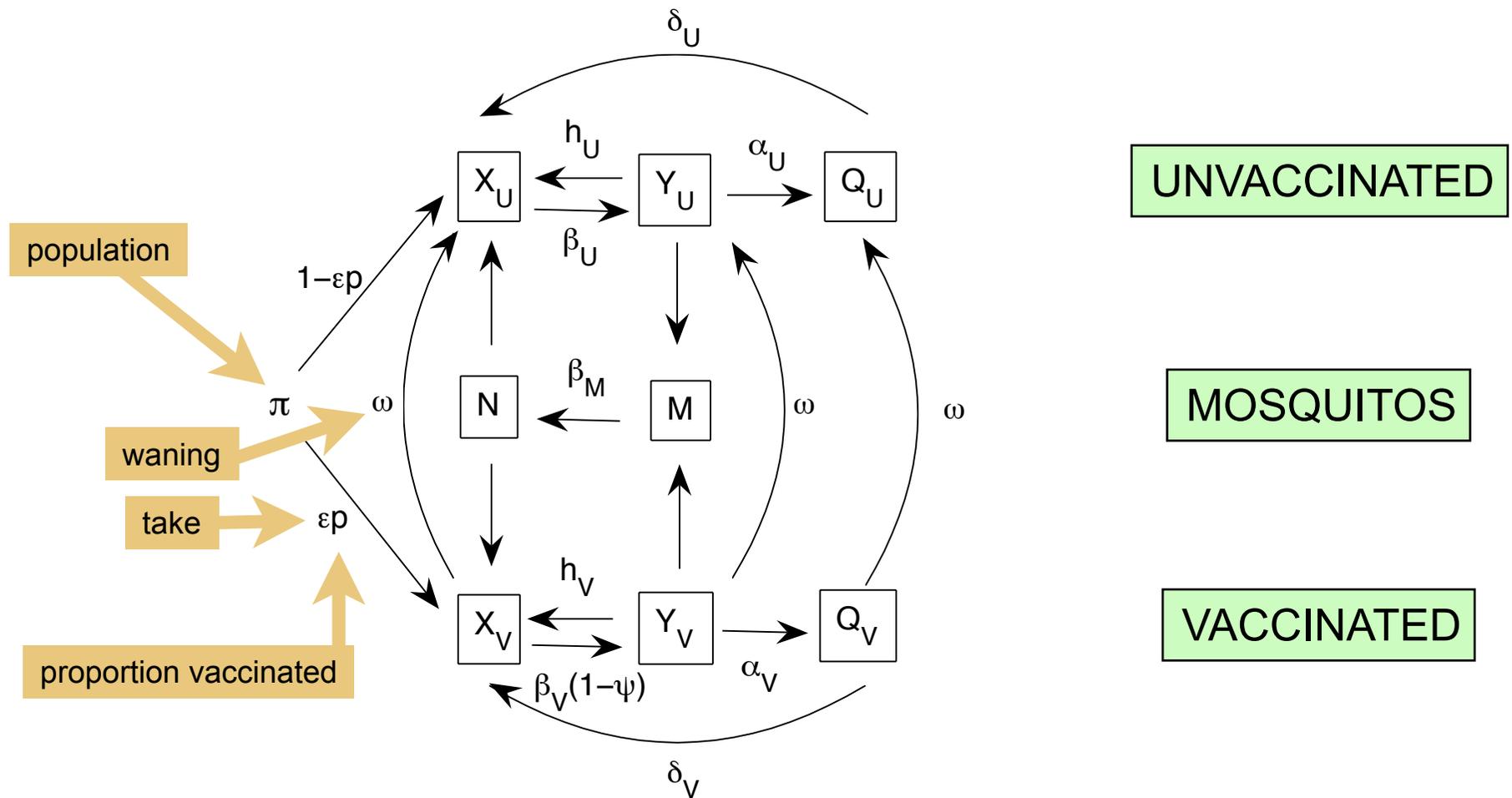
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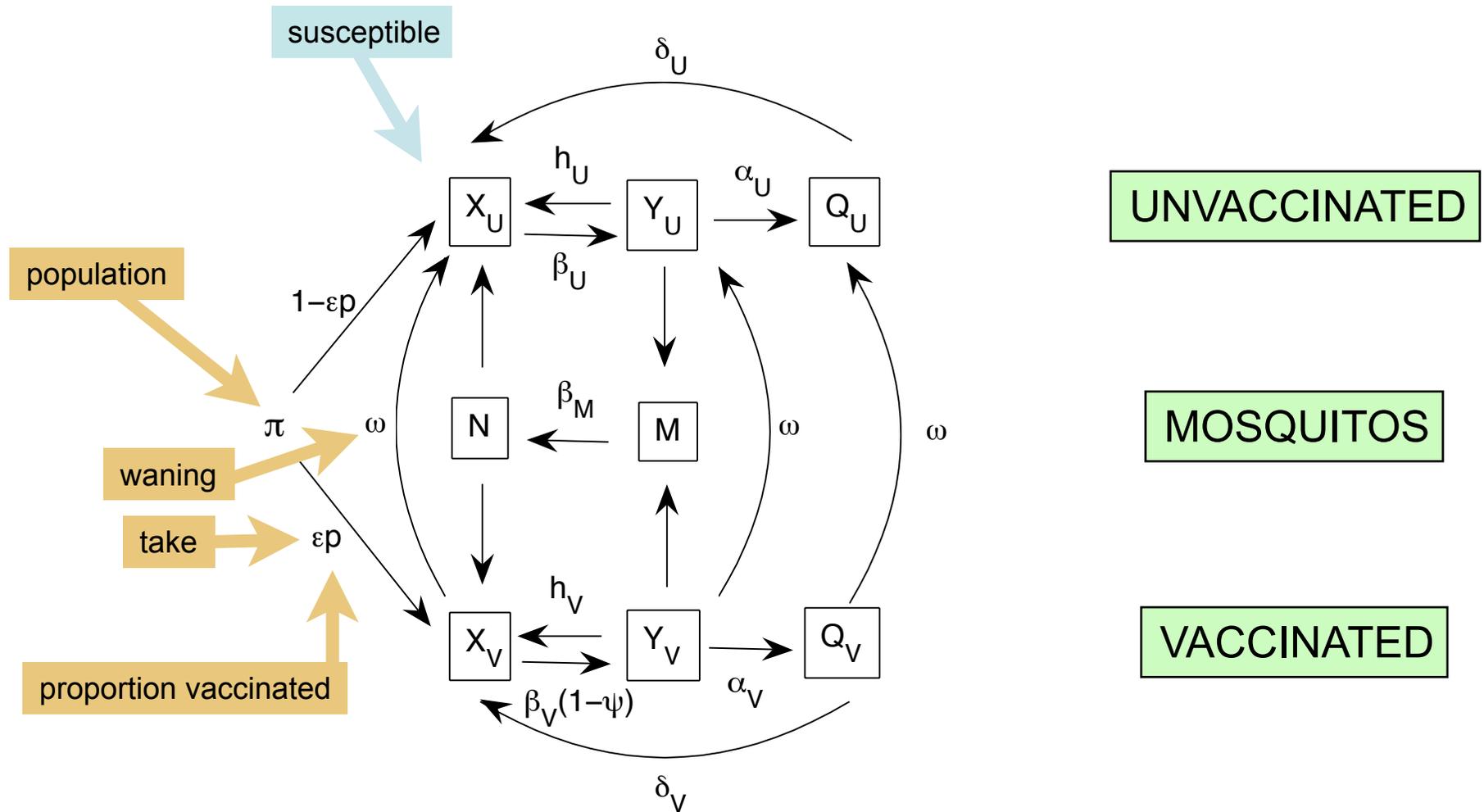
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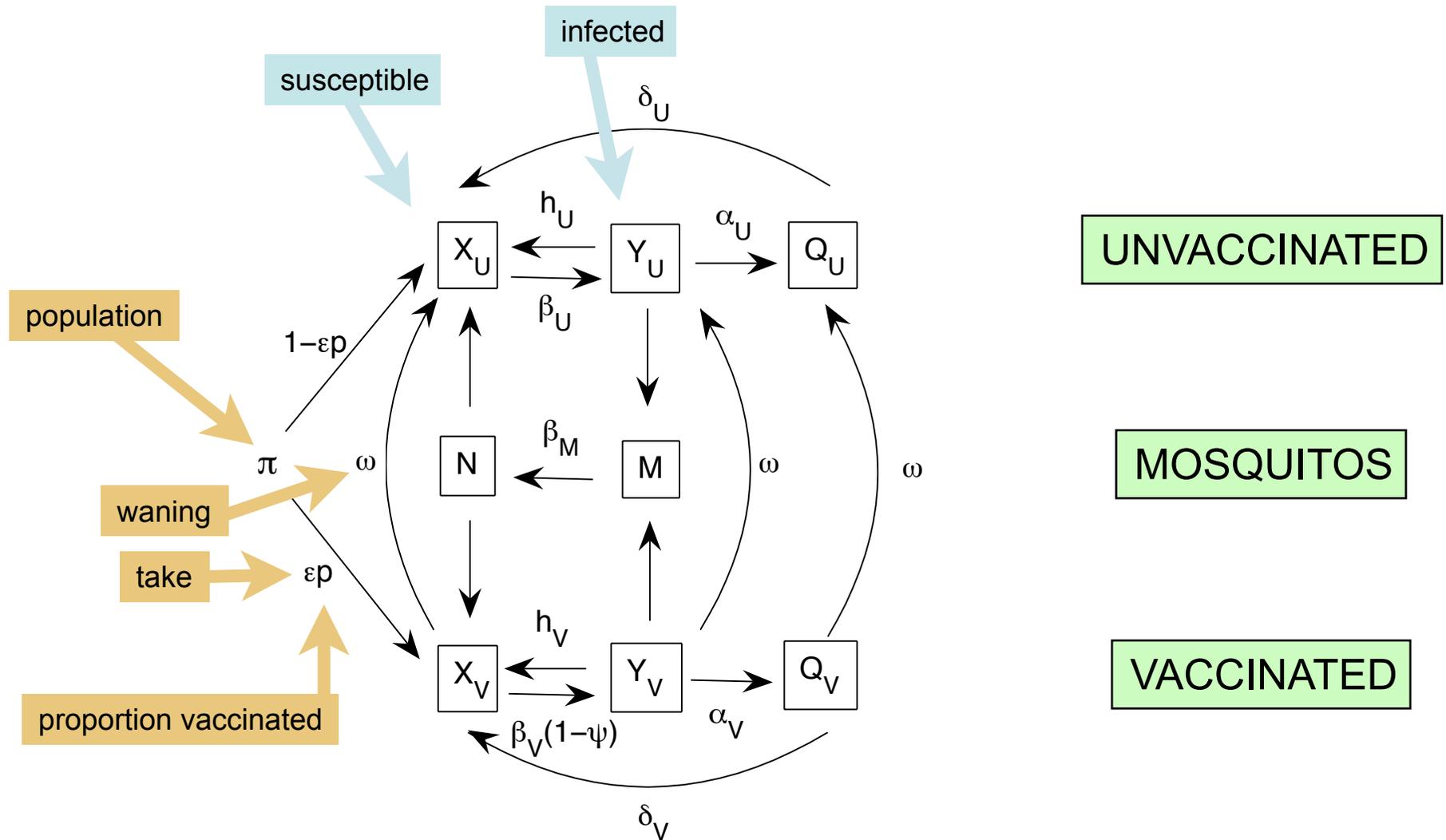
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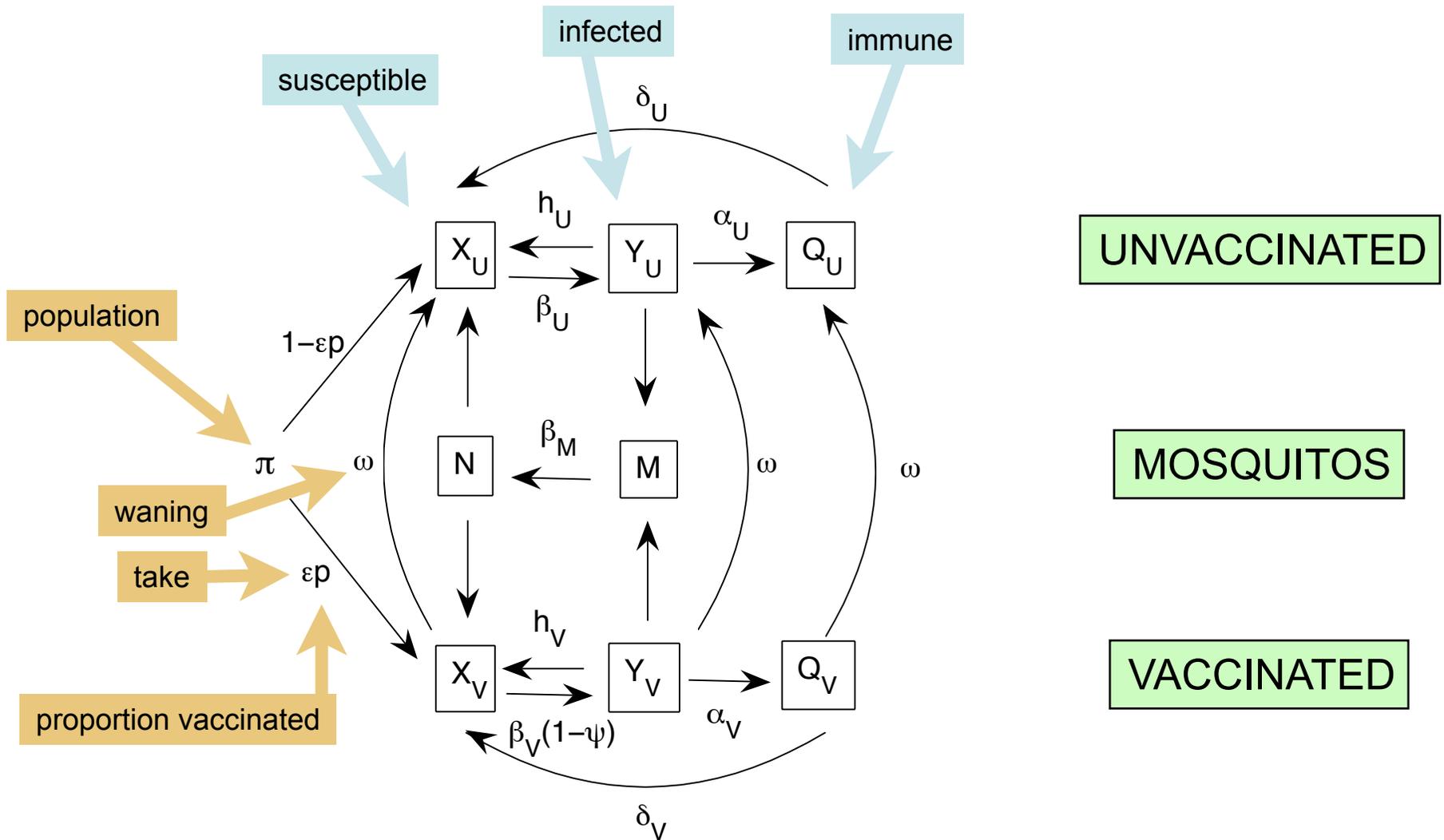
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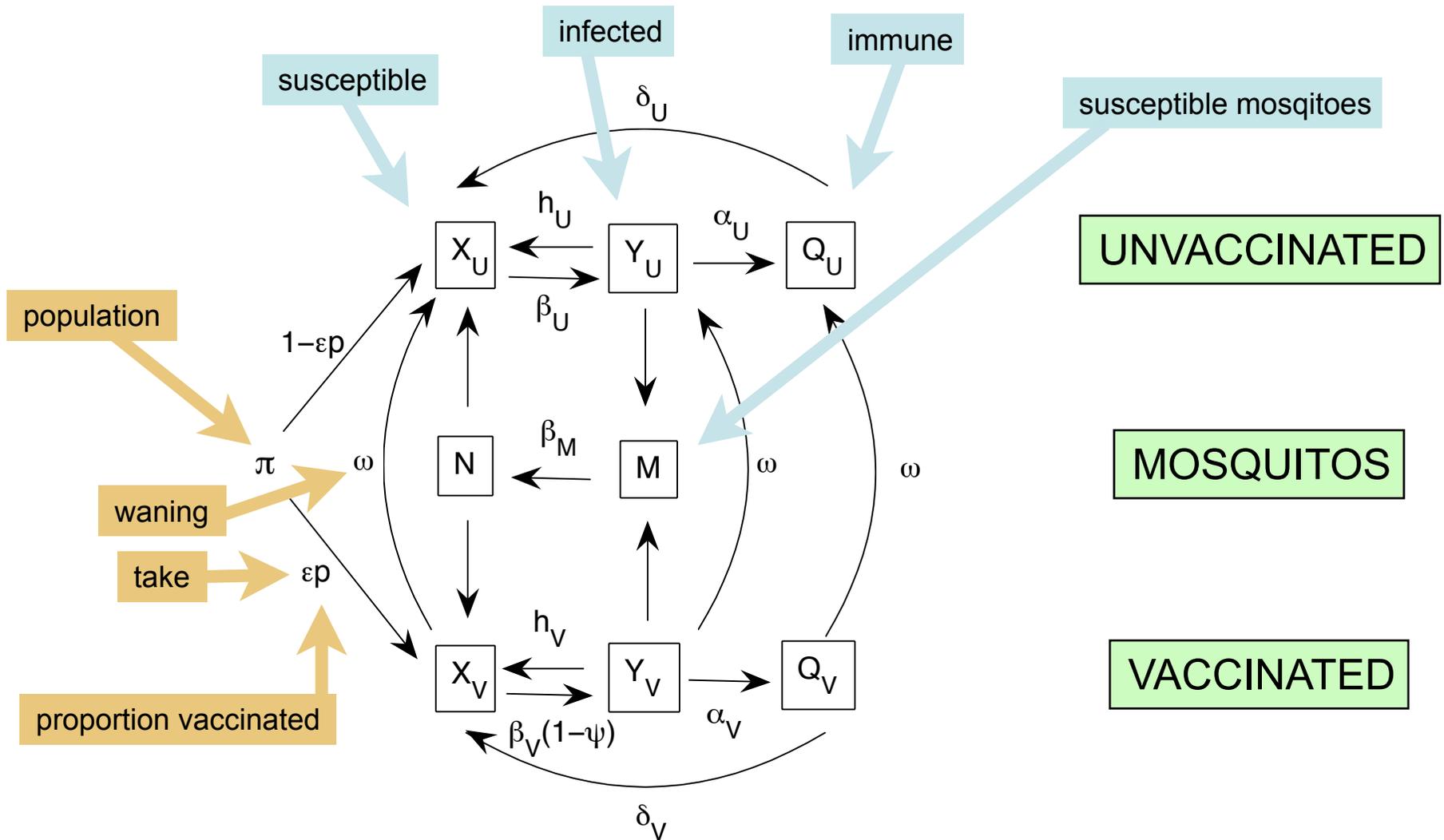
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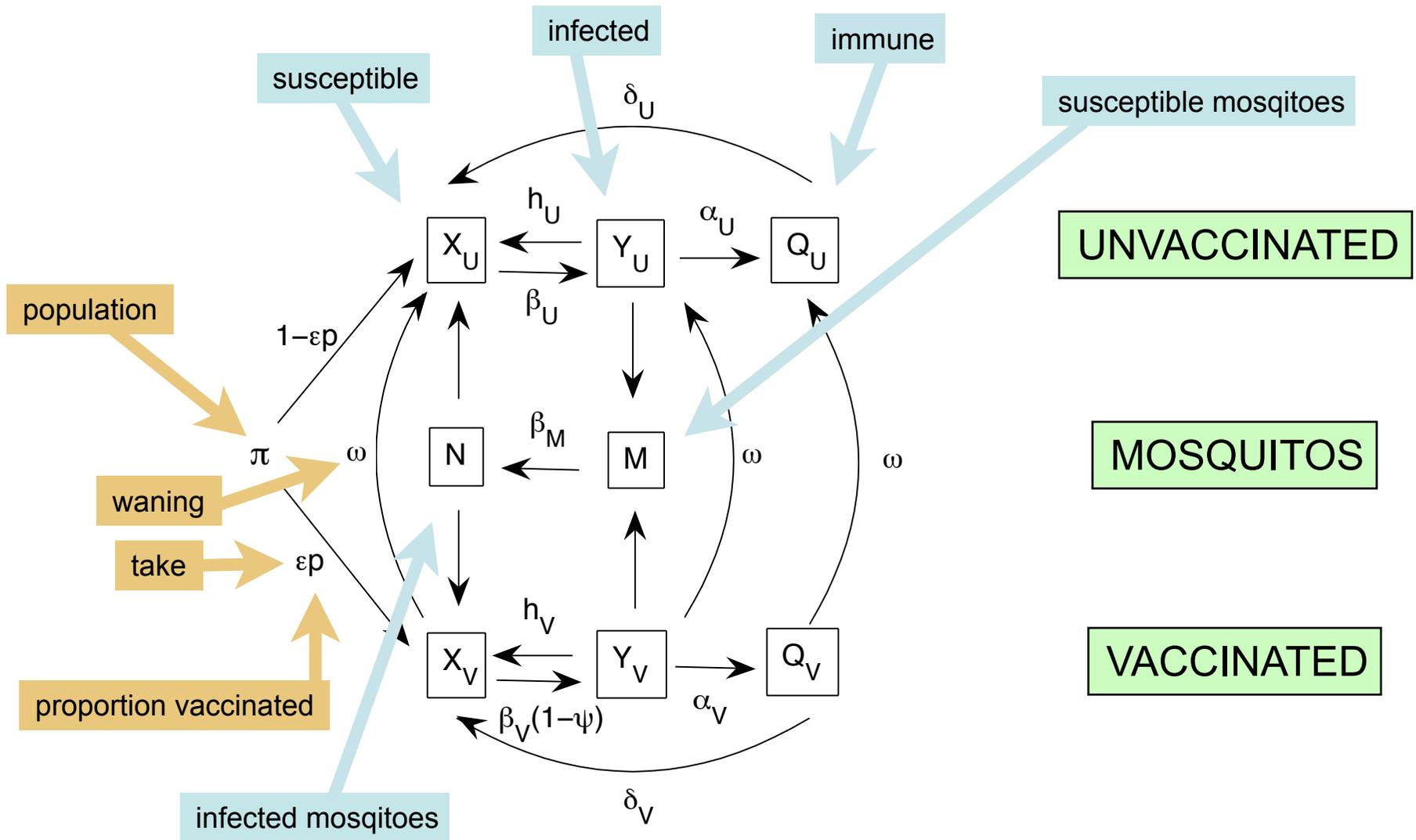
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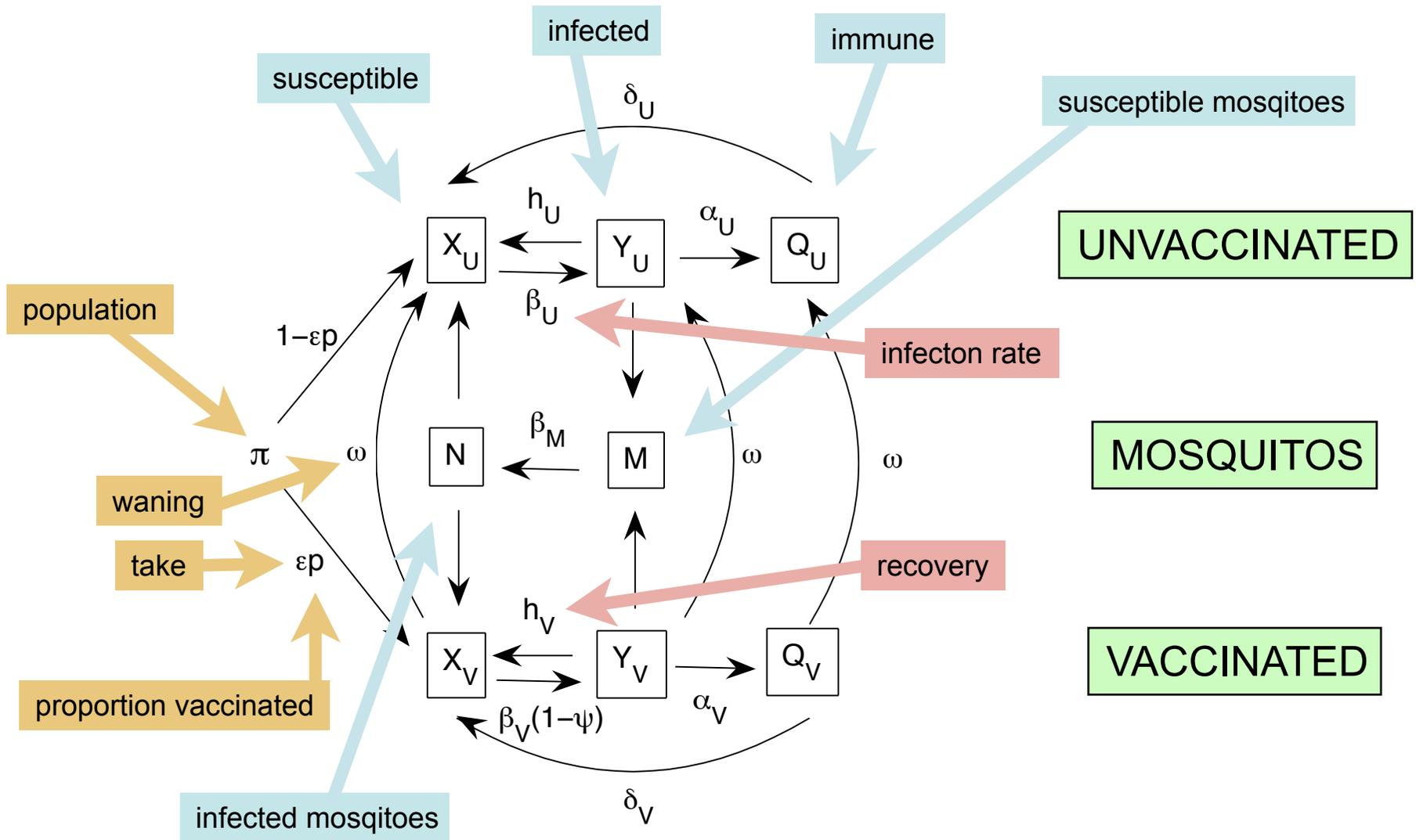
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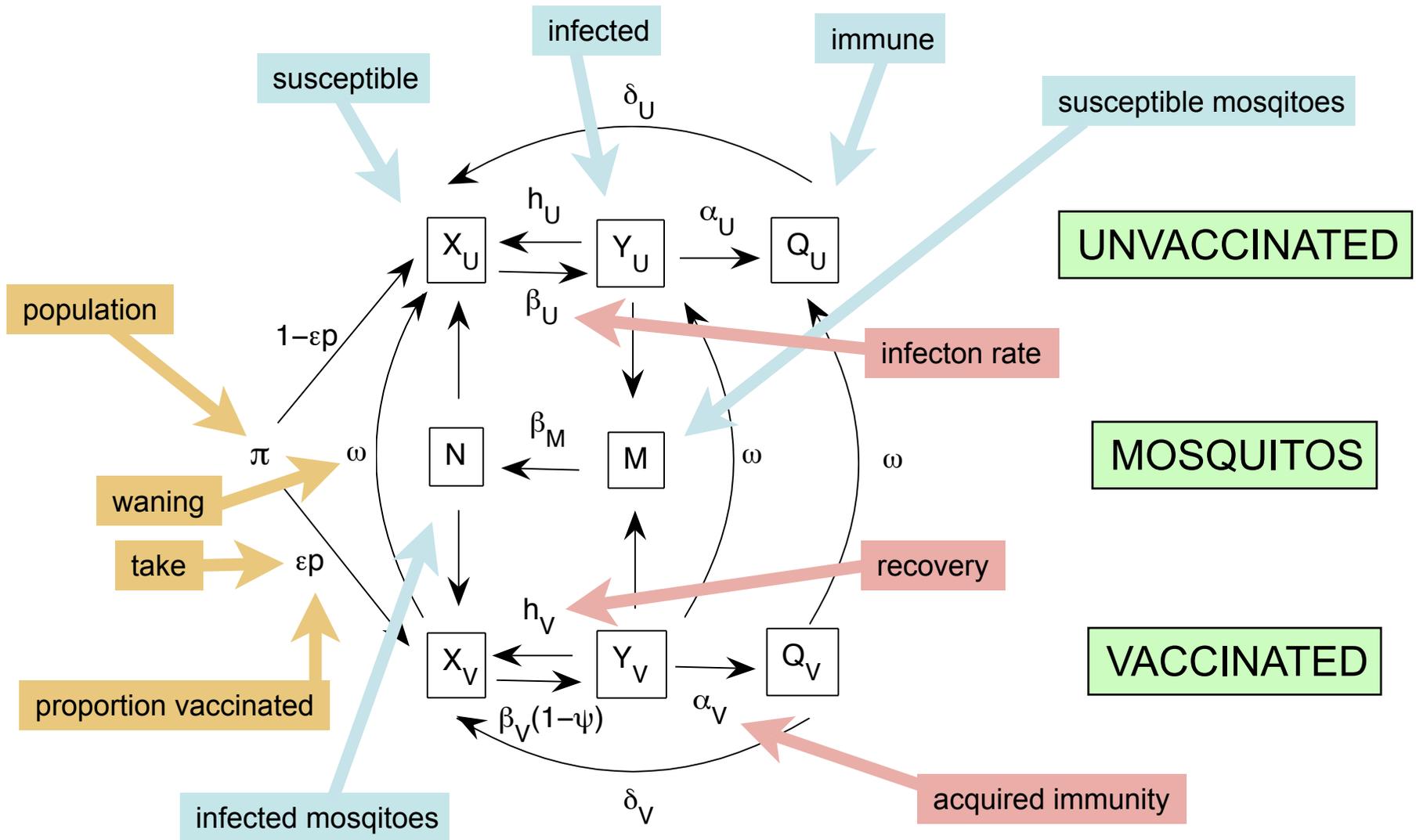
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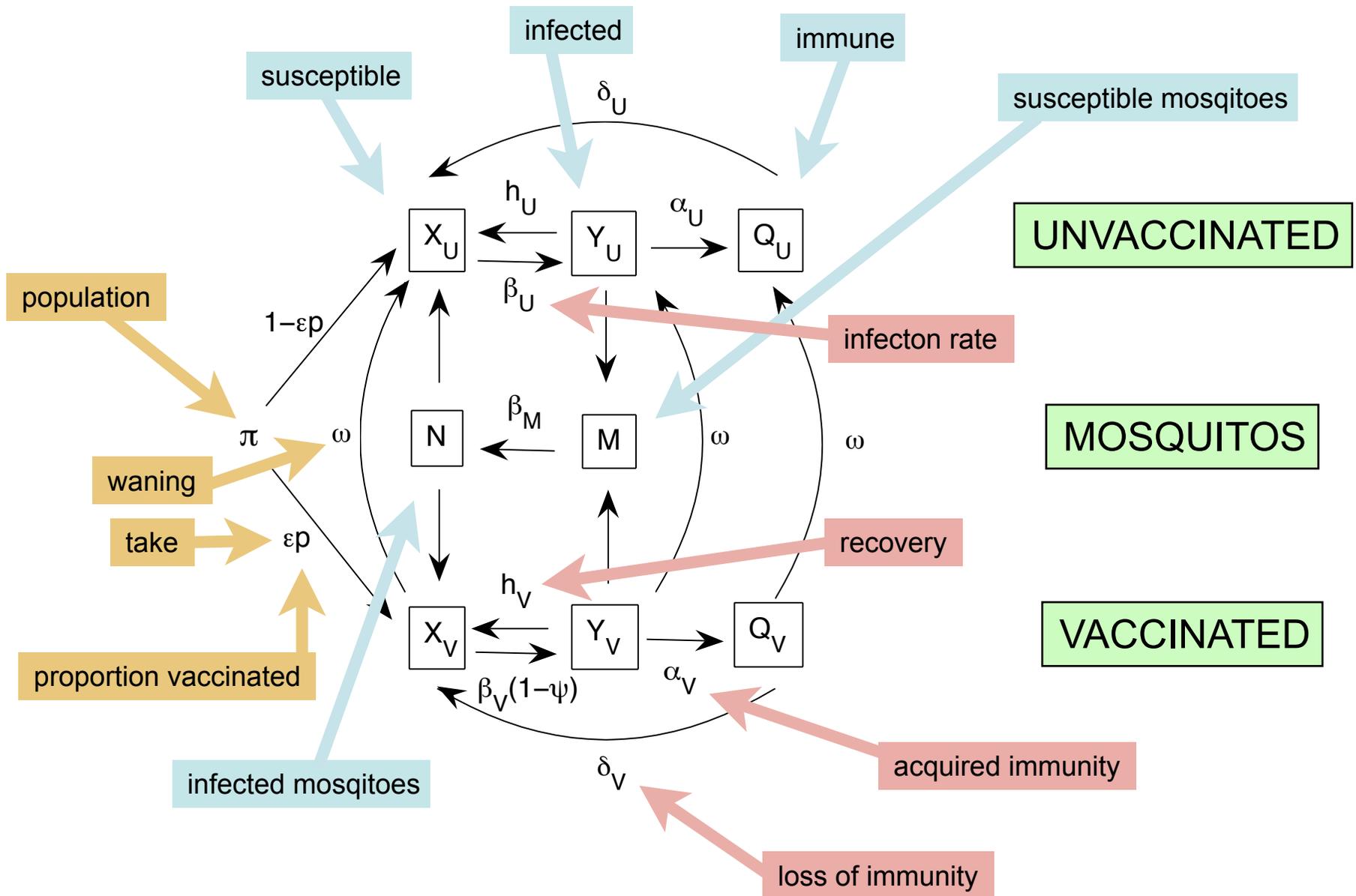
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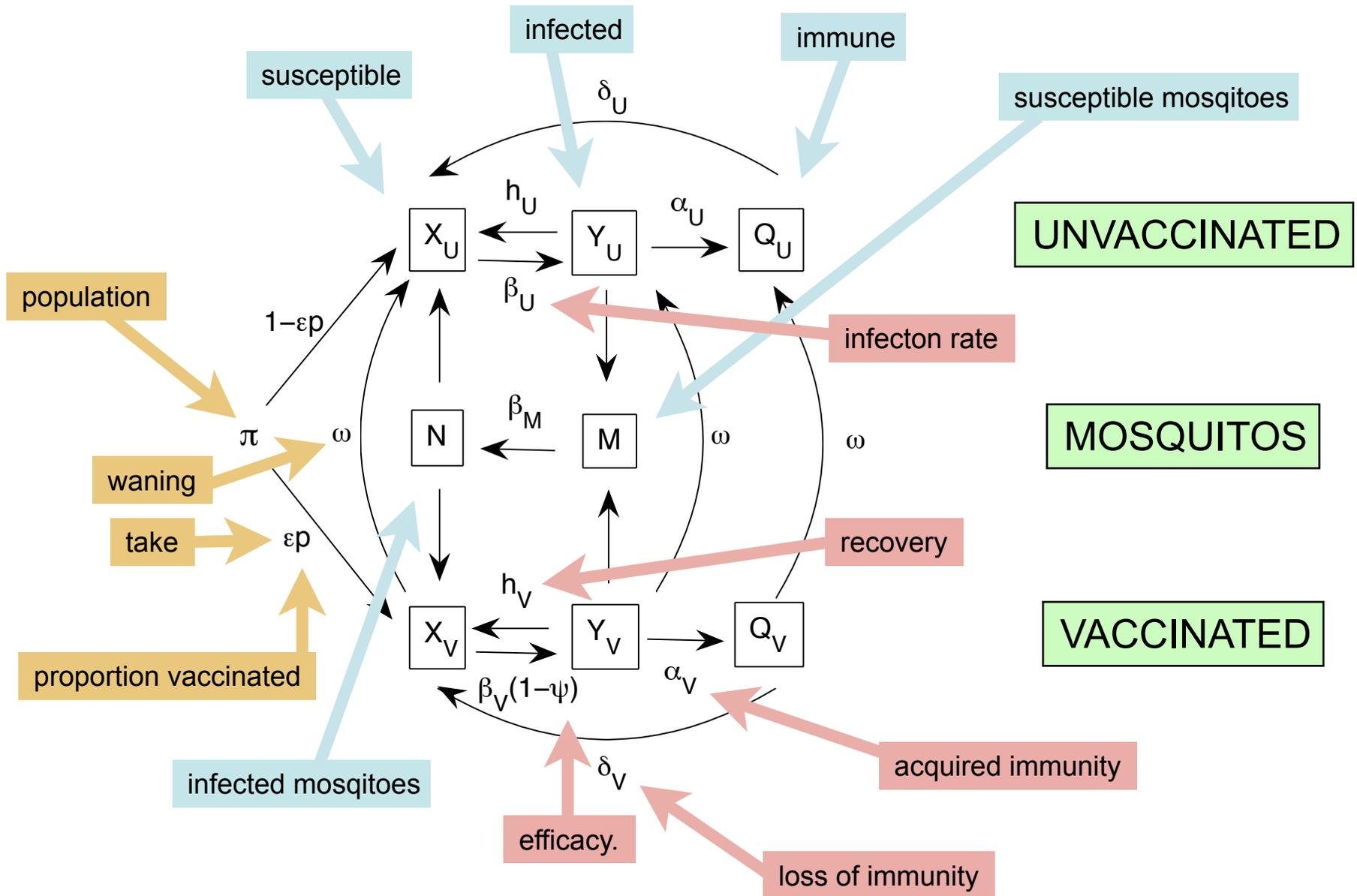
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The model



The ODEs

$$\frac{dM}{dt} = \Omega - \beta_M Y_U M - \beta_M Y_V M - \mu_M M$$

$$\frac{dN}{dt} = \beta_M Y_U M + \beta_M Y_V M - \mu_M N$$

$$\frac{dX_U}{dt} = (1 - \epsilon p)\pi - \mu X_U - \beta_U N X_U + \omega X_V + h_U Y_U + \delta_U Q_U$$

$$\frac{dX_V}{dt} = \epsilon p \pi - \mu X_V - (1 - \psi)\beta_V N X_V - \omega X_V + h_V Y_V + \delta_V Q_V$$

$$\frac{dY_U}{dt} = \beta_U N X_U - (\mu + \gamma_U + \alpha_U + h_U)Y_U + \omega Y_V$$

$$\frac{dY_V}{dt} = (1 - \psi)\beta_V X_V - (\mu + \gamma_V + \alpha_V + h_V)Y_V - \omega Y_V$$

$$\frac{dQ_U}{dt} = \alpha_U Y_U - (\mu + \delta_U)Q_U + \omega Q_V$$

$$\frac{dQ_V}{dt} = \alpha_V Y_V - (\mu + \delta_V)Q_V - \omega Q_V.$$

Basic reproductive numbers

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- The average number of secondary infections caused by an infected unvaccinated individual is R_0

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- The average number of secondary infections caused by an infected vaccinated individual is R_v .

Population reproductive number

- The total number of secondary infections caused by a single individual is

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$$R_p = SR_v + (1-S)R_0$$

R_0 =reproductive number (unvaccinated)

R_v =reproductive number (vaccinated)

Population reproductive number

- The total number of secondary infections caused by a single individual is

$$R_p = SR_v + (1-S)R_0$$

- S = proportion “successfully” vaccinated.

R_0 =reproductive number (unvaccinated)

R_v =reproductive number (vaccinated)

Vaccine coverage level

- When $R_p = 1$, $SR_V + (1-S)R_0 = 1$

*R_j =reproductive numbers (pop, vacc, unvacc) ω =waning ϵ =take
 S =proportion vaccinated p_c =coverage μ =background death rate*

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is the threshold vaccine coverage level.

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Eradication?

- Vaccination programs whose coverage levels exceed p_c are likely to eradicate the disease

p_c =critical coverage level

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- However, this may not be achievable in real terms.

p_c =critical coverage level

First, do no harm

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- Disease-modifying vaccines run the risk of increasing the number of secondary infections
- This may happen due to increasing the average duration of infection
- This may occur if many more people survive to become infected later.

Increasing secondary infections

- The number of secondary infections will increase if $R_p > R_0$

*R_j =reproductive numbers (pop, vacc, unvacc) Ψ =efficacy
 S =proportion vaccinated β_j =rate of infection ξ_j =duration*

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vaccine
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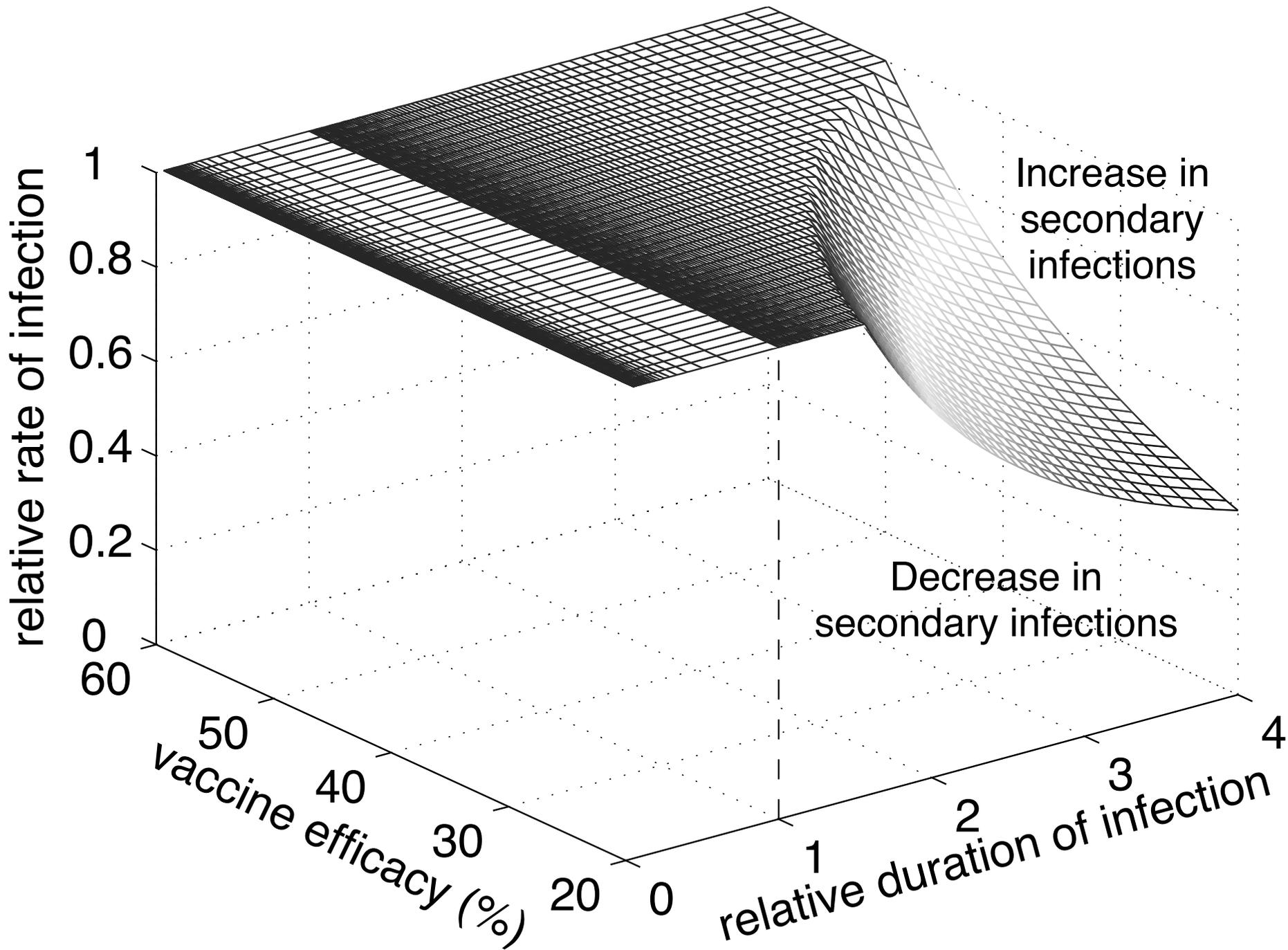
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relative rate of infection

vaccine efficacy

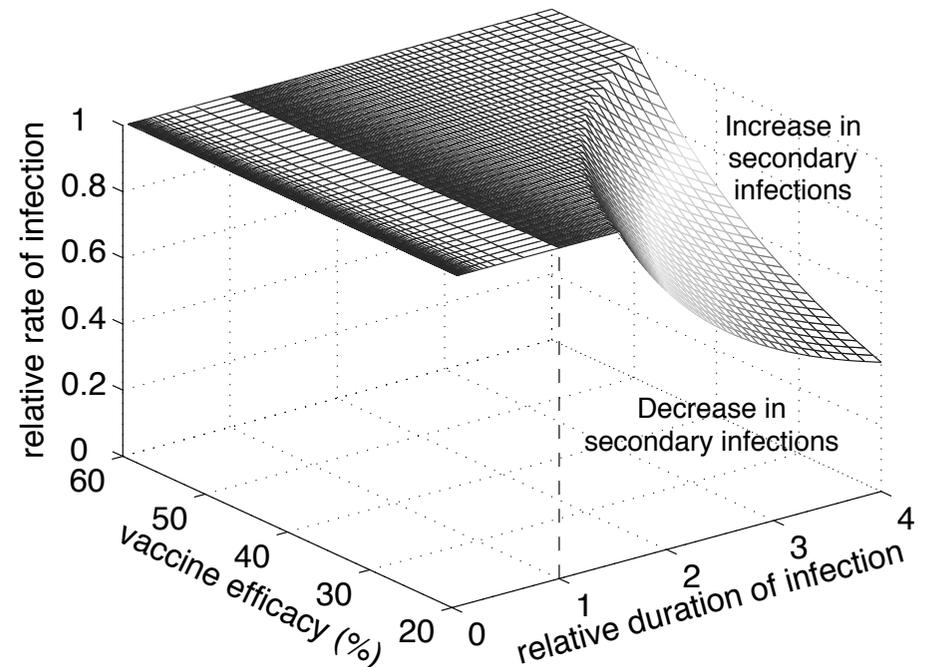
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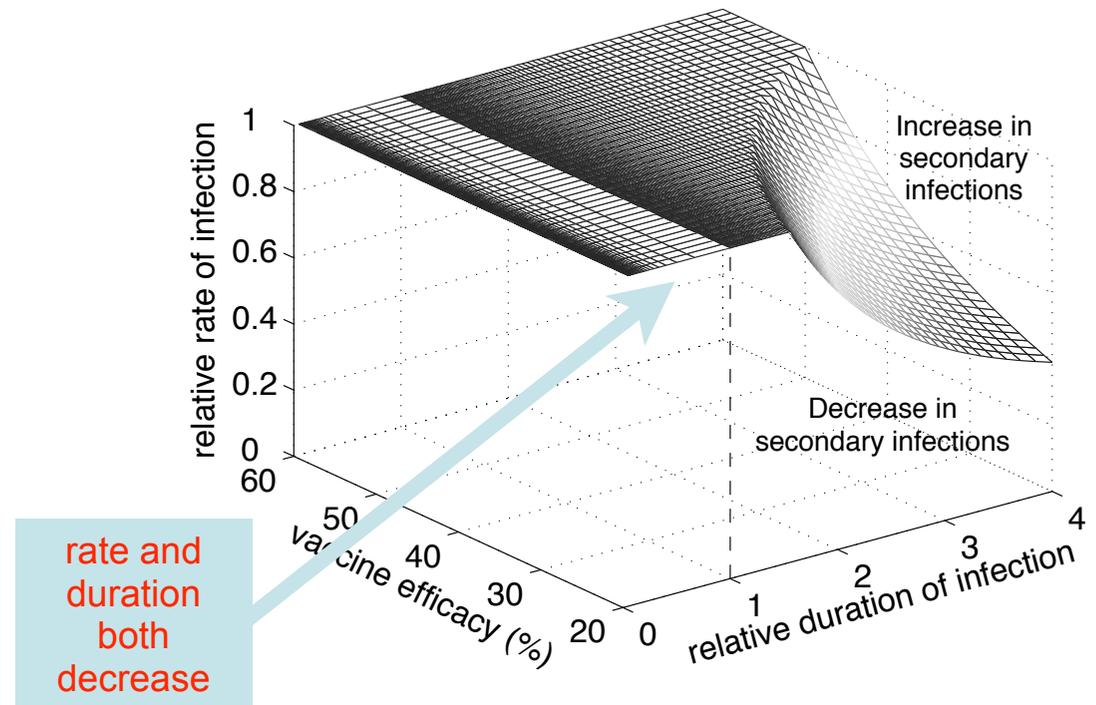
Decreasing rate and duration

- If the rate and duration of infection both decrease, the number of secondary infections will always decrease



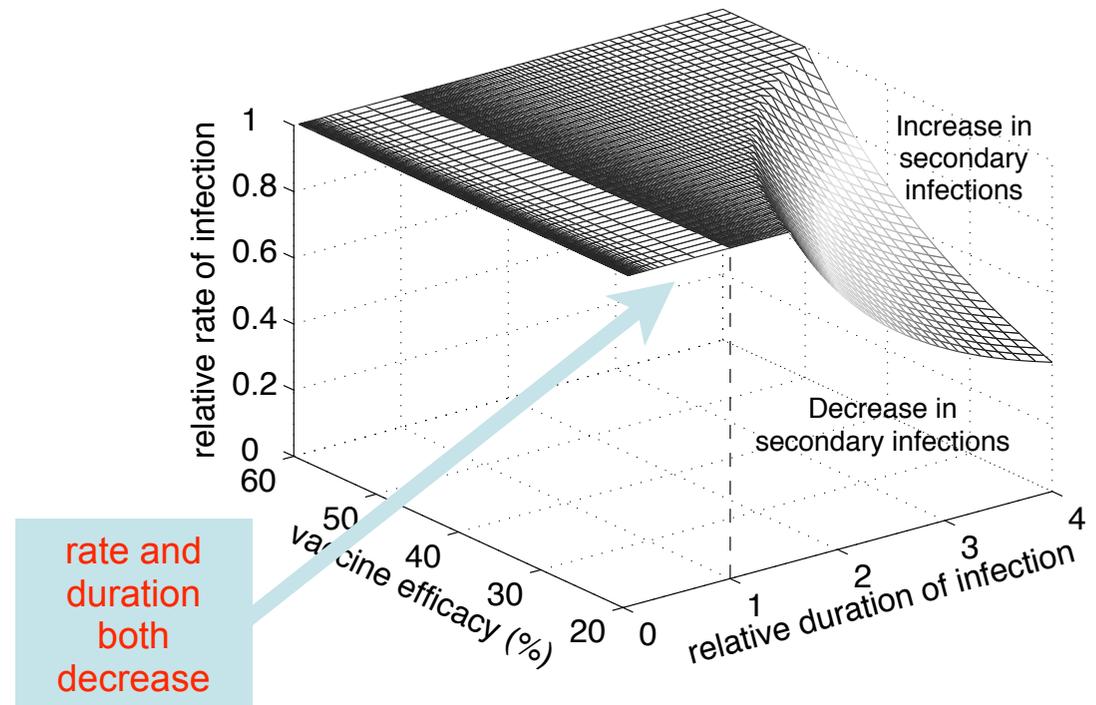
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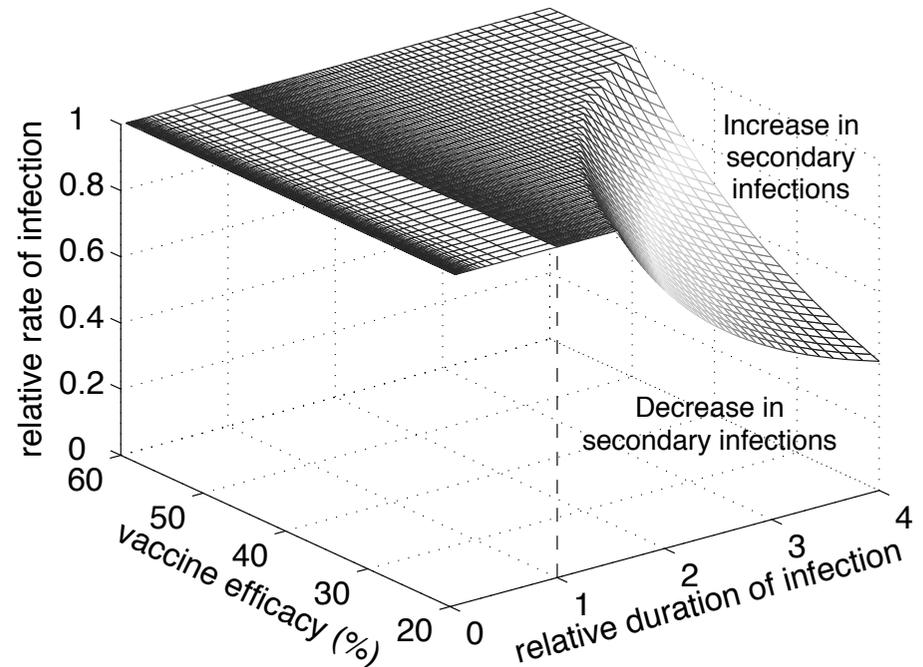
Decreasing rate and duration

- If the rate and duration of infection both decrease, the number of secondary infections will always decrease
- (Not terribly surprising.)



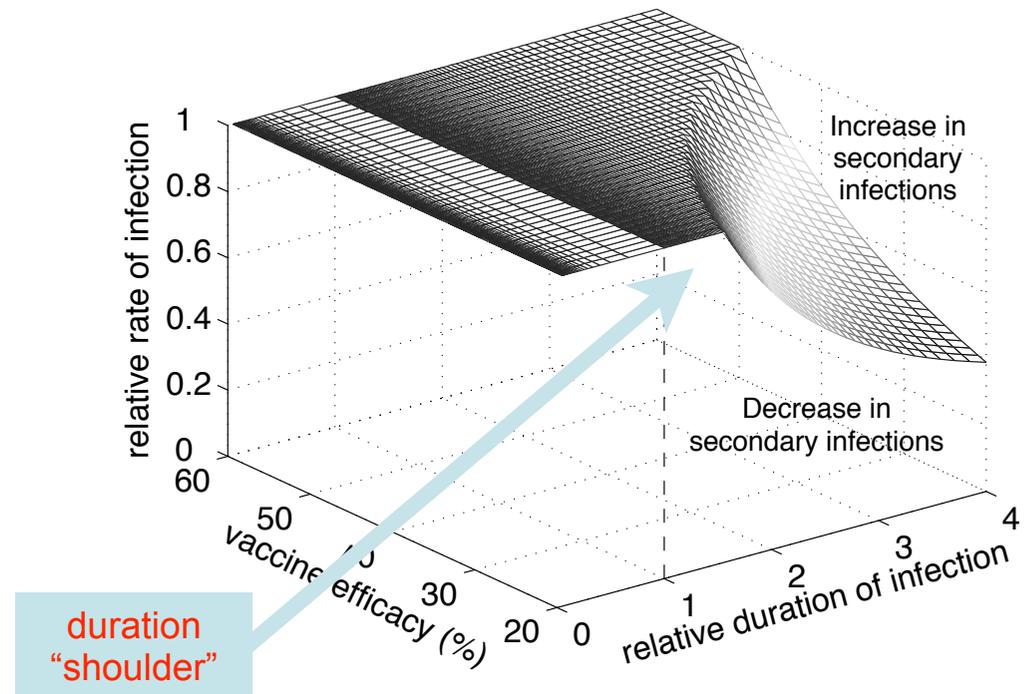
A duration “shoulder”

- For a given vaccine efficacy, there is a duration “shoulder”



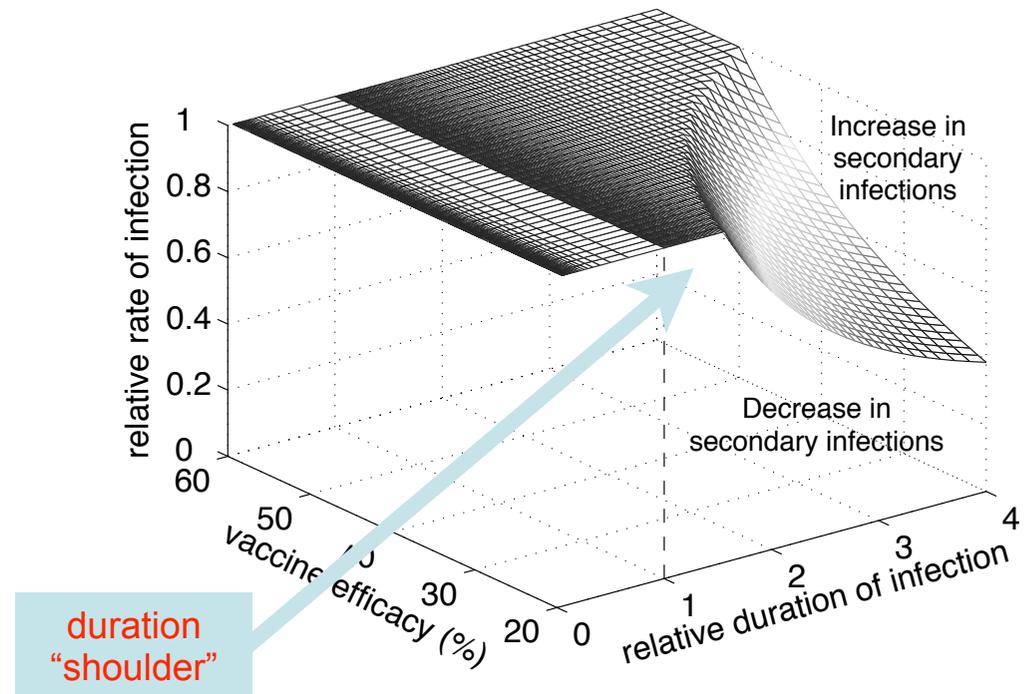
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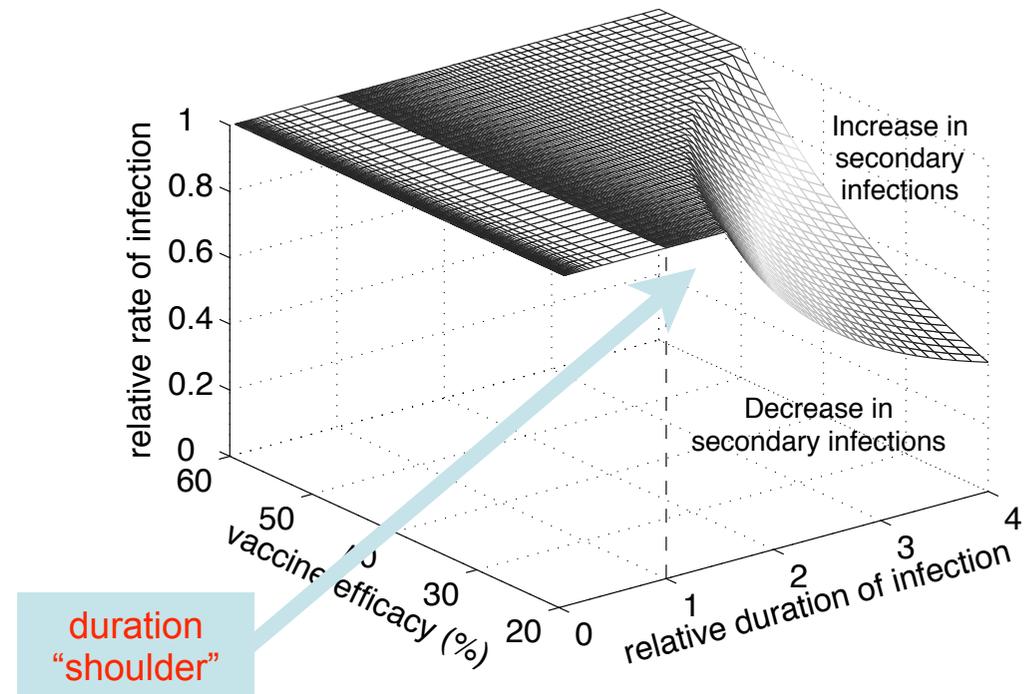
A duration “shoulder”

- For a given vaccine efficacy, there is a duration “shoulder”
- A small increase in the duration of infection will still decrease the number of secondary infections



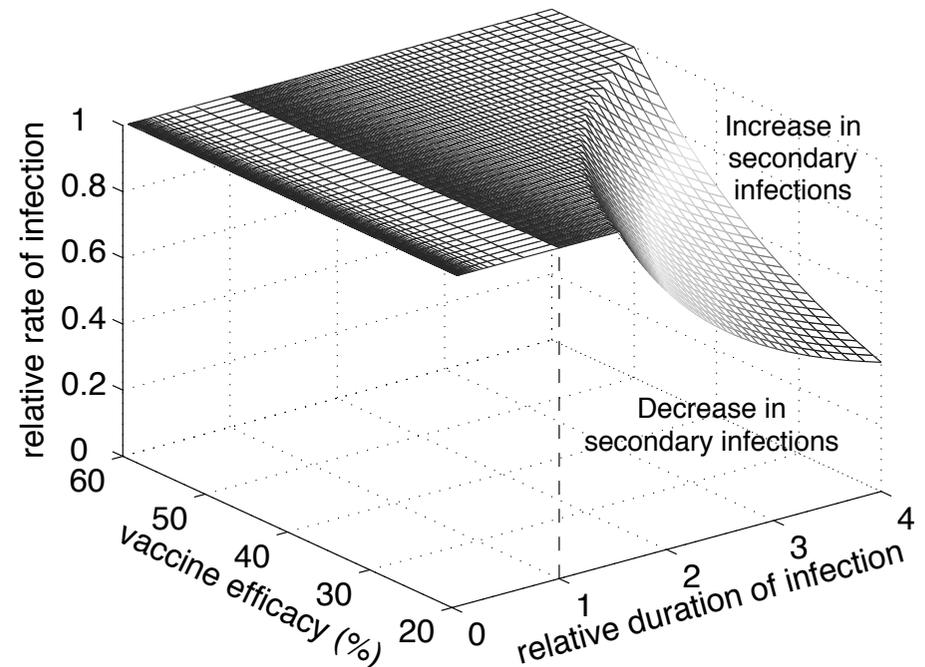
A duration “shoulder”

- For a given vaccine efficacy, there is a duration “shoulder”
- A small increase in the duration of infection will still decrease the number of secondary infections
- This is true even if the rate of infection is unchanged.



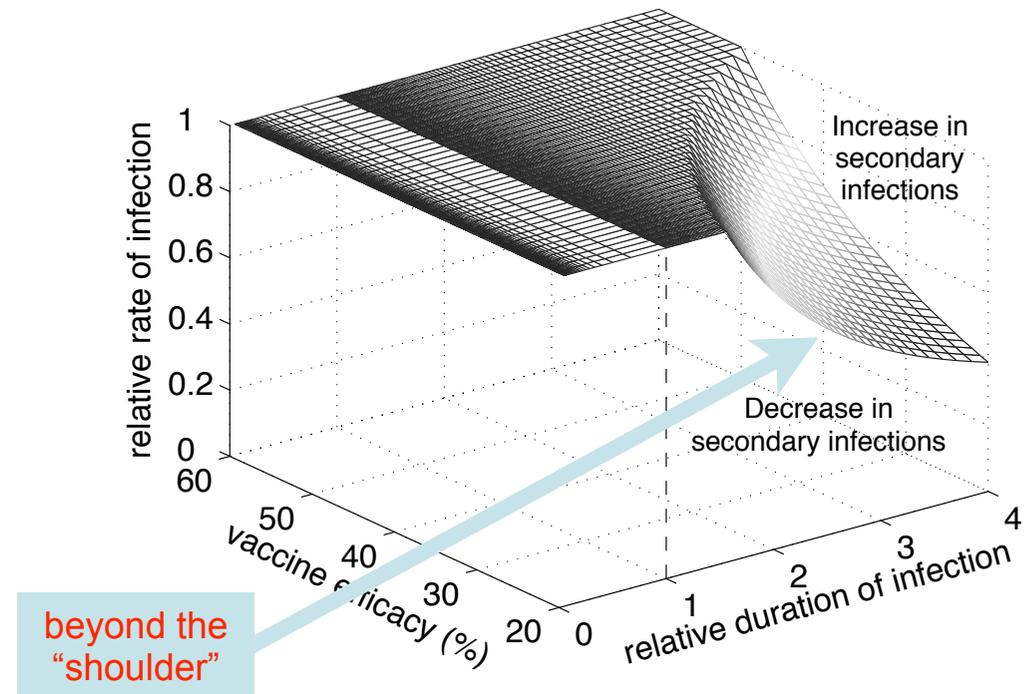
Beyond the “shoulder”

- If the duration of infection is significantly increased, then it is crucial that the rate of infection be decreased accordingly



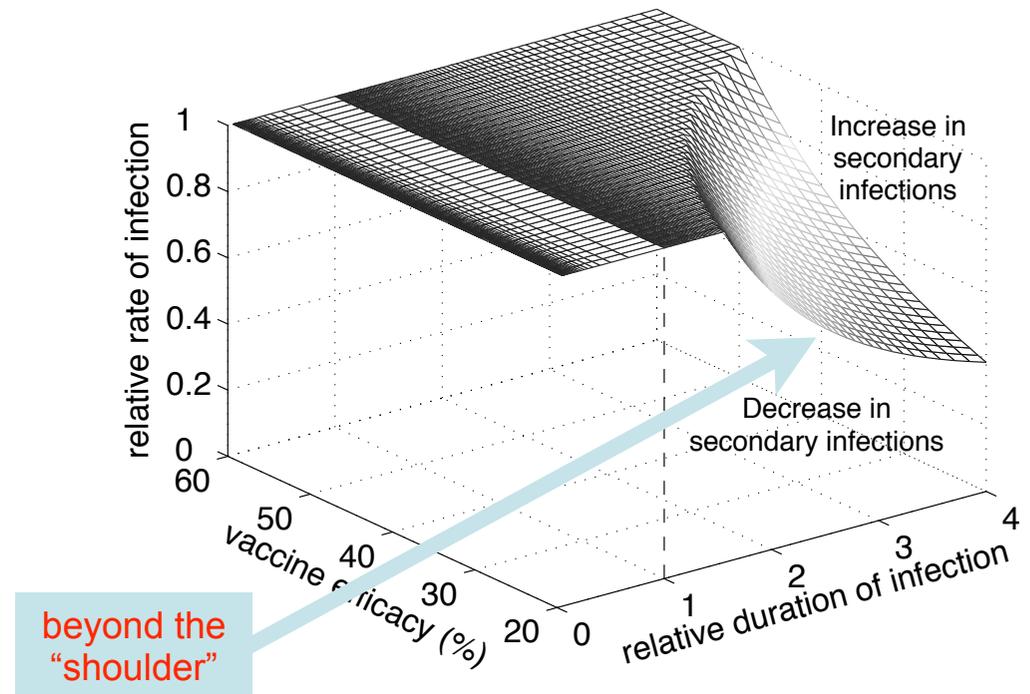
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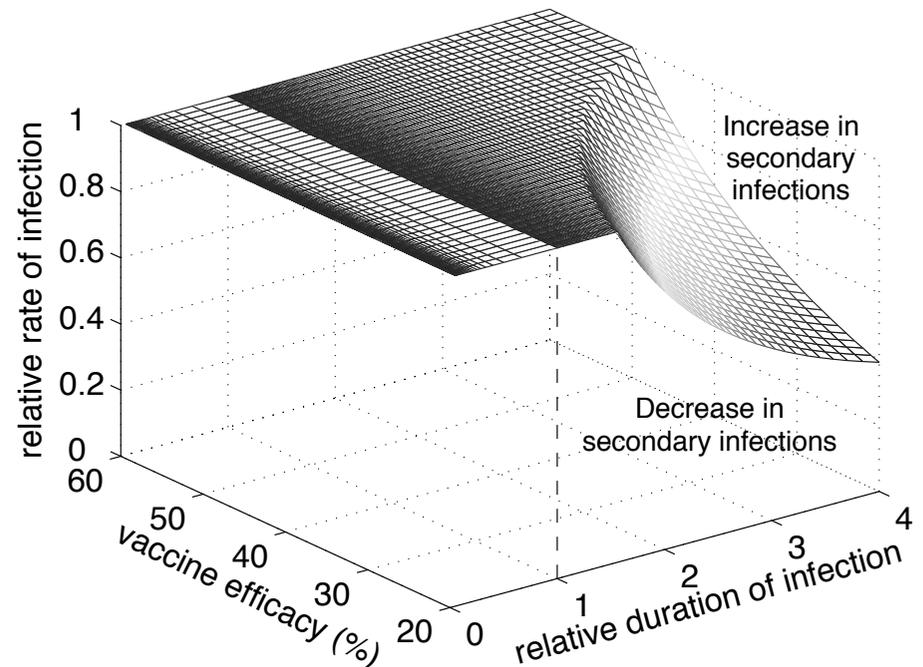
Beyond the “shoulder”

- If the duration of infection is significantly increased, then it is crucial that the rate of infection be decreased accordingly
- Thus is crucial for low-efficacy vaccines.



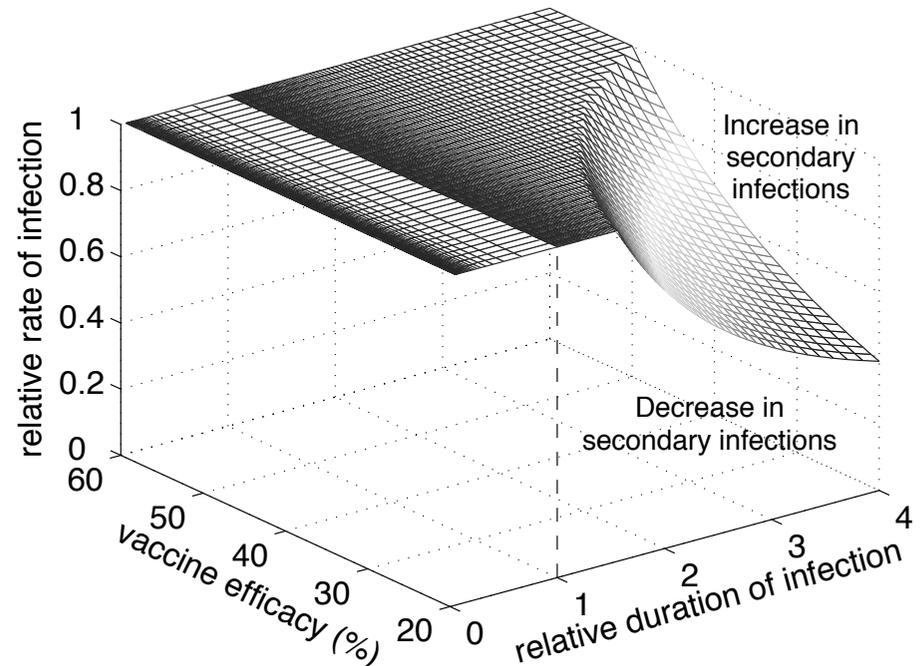
An example

- A 20% efficacious vaccine could accommodate an increase in the duration of infection by as much as 1.56 times the current duration of infection



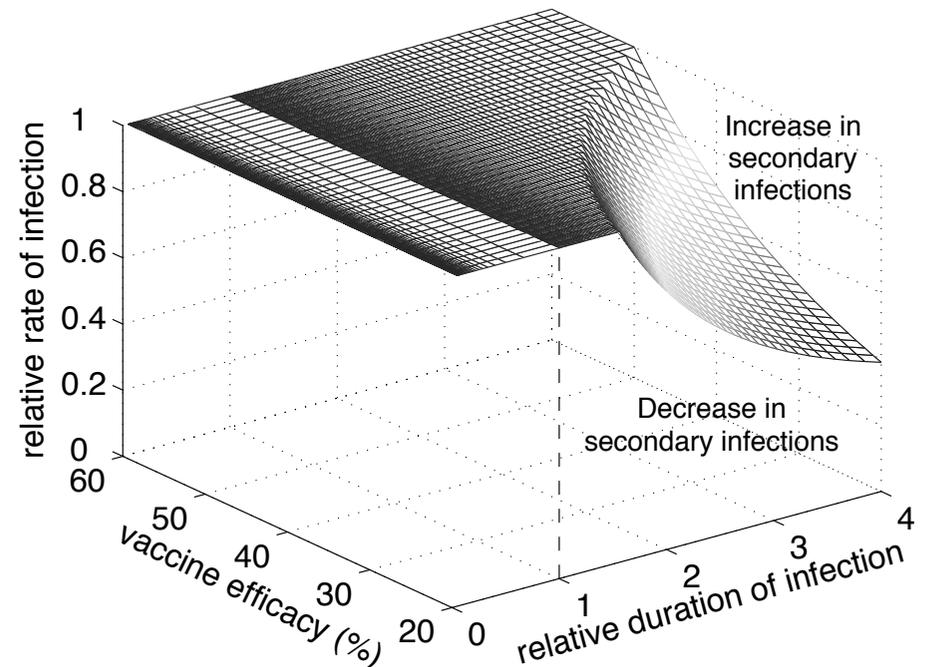
An example

- A 20% efficacious vaccine could accommodate an increase in the duration of infection by as much as 1.56 times the current duration of infection
- Even if there is no reduction in the rate of infection, the net result will still be a decrease in secondary infections.



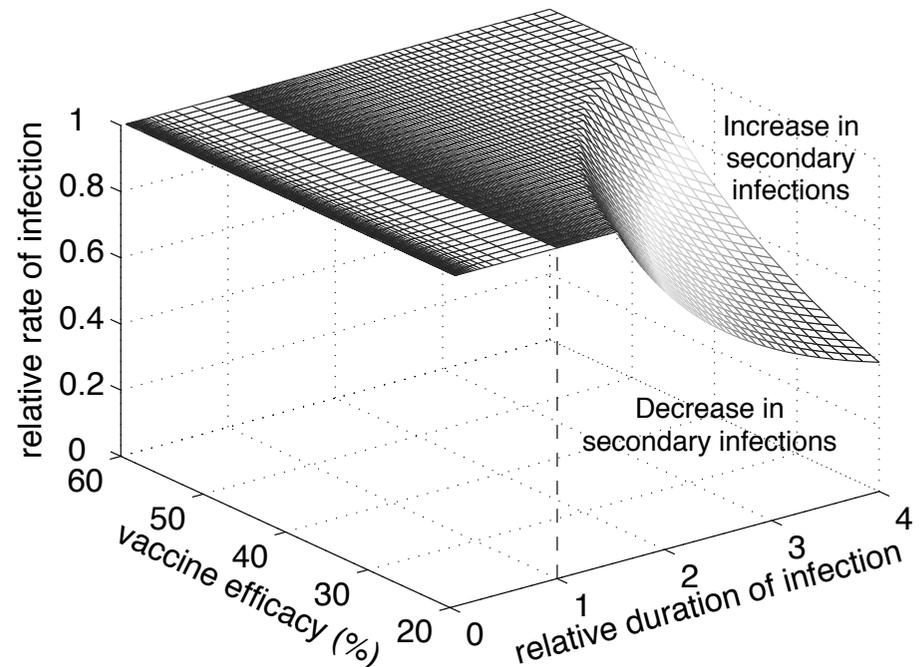
Reducing the infection rate

- However, a 20% efficacious vaccine that increased the duration of infection by a factor of 4 would lead to an increase in secondary infections...



Reducing the infection rate

- However, a 20% efficacious vaccine that increased the duration of infection by a factor of 4 would lead to an increase in secondary infections...
- ...unless the rate of infection for the vaccinated population were reduced to 40% of the current rate of infection.



Conclusions

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- Duration of infection decreases \Rightarrow secondary infections always decrease
- Small increases in the duration of infection can be tolerated, but larger increases must be accompanied by a reduction in the rate of infection
- This is critical for low-efficacy vaccines.

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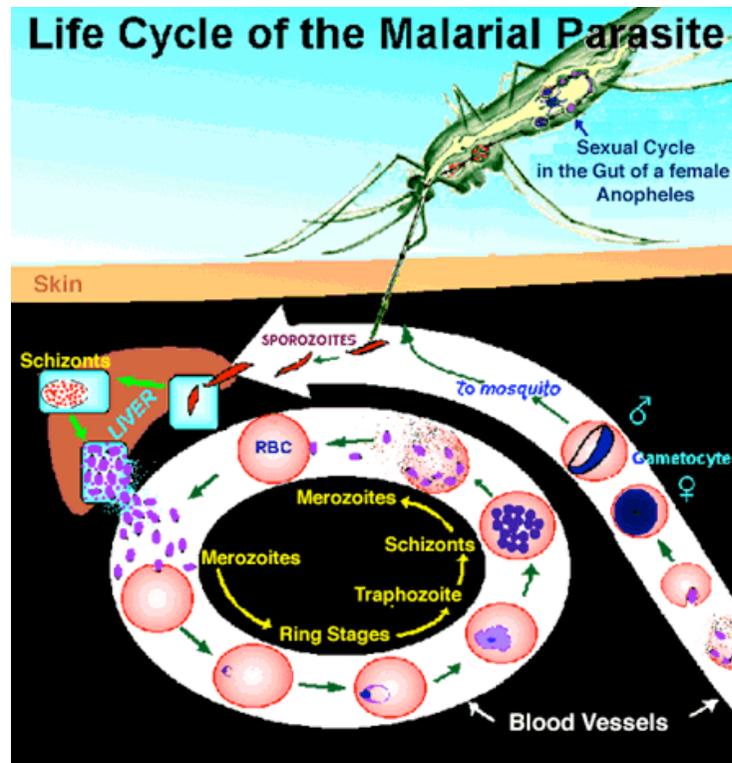
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A further consequence

- These results primarily apply to areas where malaria is endemic
- A disease-modifying malaria vaccine with a high duration of infection...
(for example, one which reduced mortality, but had no effect on the recovery rates)
- ...might be quite desirable for the developed world, if the prospect of reinfection is negligible.

Recommendation

Low-efficacy vaccines that result in high durations of infection must significantly lower the rate of infection if they are to be used in endemic areas.



Key reference

- R.J. Smith?, Could low-efficacy malaria vaccines increase secondary infections in endemic areas? (*Mathematical Modeling of Biological Systems, Volume II (2007)*. A. Deutsch, R. Bravo de la Parra, R. de Boer, O. Diekmann, P. Jagers, E. Kisdi, M. Kretzschmar, P. Lansky and H. Metz (eds). Birkhäuser, Boston, 3-10)

