Impact of astrophysical uncertainties in local DM searches

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ICTP-SAIFR Sao Paulo October 2019















If the DM is made up of WIMPs, the DM population inside the Solar System could be detected





















Theoretical interpretation

of the experimental results

• Differential rate of DM-induced scatterings

$$\frac{dR}{dE_R} = \frac{\rho_{\text{loc}}}{m_A m_{\text{DM}}} \int_{v \ge v_{\min}(E_R)} \mathrm{d}^3 v \, v f(\vec{v} + \vec{v}_{\text{obs}}(t)) \, \frac{\mathrm{d}\sigma}{\mathrm{d}E_R}$$

• The neutrino flux from annihilations inside the Sun is, under plausible assumptions, determined by the capture rate inside the Sun:

$$C = \int_{0}^{R_{\odot}} 4\pi r^{2} \mathrm{d}r \, \frac{\rho_{\mathrm{loc}}}{m_{\mathrm{DM}}} \int_{v \le v_{\mathrm{max}}^{(\mathrm{Sun})}(r)} \mathrm{d}^{3}v \, \frac{f(\vec{v})}{v} \left(v^{2} + \left[v_{\mathrm{esc}}(r)\right]^{2}\right) \times \int_{m_{\mathrm{DM}}v^{2}/2}^{2\mu_{A}^{2}\left(v^{2} + \left[v_{\mathrm{esc}}(r)\right]^{2}\right)/m_{A}} \mathrm{d}E_{R} \, \frac{\mathrm{d}\sigma}{\mathrm{d}E_{R}}$$

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Uncertainties from particle/nuclear physics and from astrophysics

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Uncertainties from particle/nuclear physics.

• Dark matter mass?

For thermally produced dark matter, $m_{\rm DM} = {\rm few ~MeV} - 100 {\rm ~TeV}$

• Differential cross section?



(In some DM frameworks, other operators may also arise)

Uncertainties from astrophysics

- Local dark matter density?
- "local measurements": From vertical kinematics of stars near (~1 kpc) the Sun
- "global measurements":

From extrapolations of $\rho(r)$ determined from rotation curves at large *r*, to the position of the Solar System.



Uncertainties from astrophysics

• Local dark matter velocity distribution?

Completely unknown. Rely on theoretical considerations

• If the density distribution follows a singular isothermal sphere profile, the velocity distribution has a Maxwell-Boltzmann form.

$$\rho(r) \sim \frac{1}{r^2} \longrightarrow f(v) \sim \exp(-v^2/v_0^2)$$

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- Dark matter-only simulations. Show deviations from Maxwell-Boltzmann
- Hydrodynamical simulations (DM+baryons). Inconclusive at the moment.



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Do these conclusions hold for arbitrary velocity distributions?

Addressing astrophysical

uncertainties in

dark matter detection

$$\min_{f(\vec{v})} \left\{ R(\sigma, m_{\rm DM}) \right\} \Big|_{\int f=1} > R_{\rm u.l.}$$

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Possibility 1: consider "distortions" of the Maxwell-Boltzmann distribution

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Neutrino telescopes probe low dark matter velocities. In combination with direct detection experiments, one can probe the whole velocity space

Distorting the Maxwell-Boltzmann distribution

Calculate for a given Δ the minimum of the scattering rate among all the velocity distributions within the band. A point in parameter space is excluded if:

$$\min_{f(\vec{v})} R(m_{\rm DM}, \sigma) \Big|_{\substack{\int f=1\\f \text{ within band}}} > R_{\rm u.l.}$$

Dependence of the Xenon1T limits on Δ at 90% C.L.



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2) is ruled out from combining PandaX and neutrino telescopes, for *any* velocity distribution.

$$\min_{f(\vec{v})} R(m_{\rm DM}, \sigma) \Big|_{\substack{\int f=1\\C < C_{\rm u.l.}}} > R_{\rm u.l.}$$



Calculate the minimum of the scattering rate among all the velocity distributions within the band of width Δ giving a capture rate in agreement with the constraints from neutrino telescopes. A point in parameter space is excluded if:

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Dependence of the XENON1T+IceCube limits on Δ at 90% C.L.





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Dependence of the PICO+IceCube limits on Δ at 90% C.L.





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Dependence of the PICO+IceCube limits on Δ at 90% C.L.



A concrete case.

Milky Way sub-halos











Impact of sub-halos in local DM searches

Assume:

- Sub-halos spatially distributed following an Einasto profile.
- Velocity distribution of sub-halos following Maxwell-Boltzmann.
- Sub-halo mass function from Hiroshima, Ando, and Ishiyama'18



- Internal density profile described by a truncated NFW profile.
- Concentration parameter following a log-normal distribution
- Internal velocity distribution described by a MB distribution



$$R = \sum_{i} \int_0^\infty \mathrm{d}E_R \,\epsilon_i(E_R) \frac{\xi_i}{m_{A_i}} \int_{v \ge v_{\min,i}^{(E_R)}} \mathrm{d}^3 v F(\vec{v} + \vec{v}_{\mathrm{Earth}}, t_0) \,\frac{\mathrm{d}\sigma_i}{\mathrm{d}E_R}(v, E_R) \,.$$



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 10^{-3}

 10^{1}











<u>Conclusions</u>

- The interpretation of any experiment probing the dark matter distribution inside the Solar System is subject to our ignorance of the local dark matter density and velocity distribution.
- We have developed a method to bracket the uncertainties in the velocity distribution when interpreting the results from direct searches, due to distortions in the Maxwell-Boltzmann distribution and/or by exploiting the synergy with dark matter searches in the Sun.
- Sub-halos in our Galaxy may induce a time-dependent DM flux at the Solar System. There is a probability of ~1 per mil of changing by an O(1) factor the signal rate at a direct detection experiment or at a neutrino telescope.