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# Dark matter - candidates and search strategy



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# Dark matter is an essential building block of the Standard Model of Cosmology



1. stable particle (life time at least age of the Universe) 2. Its amount  $\Omega_{CDM} \sim 0.26$  (CMB)



# Particle **Dark Matter**

Observations, Models and Searches

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3. electrically neutral: if not, it would interact with photons! (photons couple to charge) DM would not be 'dark' i.e. 'invisible'!



### 3. electrically neutral:

- it could bind with other charged particles (and form neutral systems), but strong limits on exotic atoms!
- if **X+**, bound states with electron ~**heavy Hydrogen**!
- if **X-** bound to nuclei- **anomalous isotopes**



4.\*if\* it has non gravitational interactions they must be 'weak':

- genuine weak interactions, exchange W or Z
- here means generally just un-observably week



5. 'non-baryonic': does not form atoms and does not dissipate energy like baryons - strong limits from Big Beng Nucleosynthesis (BBN).

From what we know about nuclear physics we can very well predict the sequence of events in which proton, neutron and electrons bound to form H<sup>+</sup>, D<sup>+</sup>, He<sup>++</sup>, Li<sup>+++</sup> (**Thermal decoupling of sorts!**)

**DM did not participate in this process!** i.e. DM cannot be baryonic, otherwise the abundances of elements measured today would be quite different than what calculated!





6. it was slow (non relativistic) at the time of formation of first structures (if in thermal equilibrium)

N-body simulations find that if DM would be lighter than **keV** small structures would have been erased!



Lovell, Eke, Frenk, Gao, Jenkins, Wang, White, Theuns, Boyarski & Ruchayskiy '12



# DM check list:

✓ stable
 ✓ Ω<sub>CDM</sub> ~ 0.26
 ✓ electrically neutral
 ✓ 'weakly' interacting
 ✓ does not affect BBN
 ✓ non-relativistic at structure formation

# The challenge

# NEUTRALINOS

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- ASYMMETRIC Is it a particle?
  - How does it couple to the Standard Model?

EXTRA DIMENSIONAL DARK MATTER

SINPS

AXIONS

- Composite or elementary?
- 'Maverick' or dark 'sector'?

# Outline











90 orders of magnitude in mass...

# Particle dark matter models

#### A theorist's 'landscape'



### Particle dark matter models

Landscape in terms of (gamma-ray) signatures







Some clues about its nature:

One mystery is **why dark matter is stable** especially if it is heavy enough to be "cold" in the early universe

- Sets stringent limits on DM-SM interactions
- Easiest route: impose some kind of symmetry to prevent DM from decaying





Some clues about its nature:

Any DM model must explain **the abundance of dark matter** at the epoch of last scattering

- Thermal: interactions set final abundance
- Non-thermal: Initial condition from reheating? -Misalignment mechanism? -Phase transition?





A 'special' model: 'Weakly interacting Massive Particles' (WIMPs) -> Thermal DM



 In the early universe, let the DM particle be thermally coupled to the SM. Can annihilate to SM particles, or SM particles can collide and produce it.

 $\chi\chi \leftrightarrow SM SM$  (1)

 Temperature(universe) < particle mass => can still annihilate, but can't be produced.

 $\chi \chi \to \text{SM SM}$   $\chi \chi \nleftrightarrow \text{SM SM}$ (2)

 Abundance falls exponentially, cut off when timescale for annihilation ~ Hubble time. The *comoving* dark matter density then <u>freezes out</u>.



So (known) late-time density is set by annihilation rate.

 $\langle \sigma v \rangle \sim 3 \times 10^{-26} \mathrm{cm}^3/\mathrm{s} \sim \pi \alpha^2 / (100 \,\mathrm{GeV})^2 \ (3)$ 

# Outline of calculation

- Ingredients: annihilation rate for identical particles given by annihilations / dt / dV =  $n^2 \langle \sigma v \rangle / 2$
- Boltzmann equation: <sup>dn</sup>/<sub>dt</sub> + 3Hn = -⟨σv⟩ [n<sup>2</sup> - n<sup>2</sup><sub>eq</sub>]
  Equilibrium density (Boltzmann distribution): n<sub>eq</sub> = g (<sup>mT</sup>/<sub>2π</sub>)<sup>3/2</sup> e<sup>-m/T</sup>
  Temperature of universe (assume radiation domination): H<sup>2</sup> ∝ ρ ∝ T<sup>4</sup> ⇒ T ∝ √H ∝ t<sup>-1/2</sup>

# Estimating freezeout

- For precision solution, can solve this differential equation numerically
- But we can get a simple estimate of important quantities analytically.
  - Freezeout occurs when timescale for expansion ~ timescale for collision:  $H \sim n \langle \sigma v \rangle$
- Up to freezeout, n~n<sub>eq</sub>, so we require  $H \sim g(mT/2\pi)^{3/2}e^{-m/T}\langle \sigma v \rangle$ • Defining x=m/T, we have  $H(m)x^{-2} = g(m^2/2\pi)^{3/2}x^{-3/2}e^{-x}\langle \sigma v \rangle$ • Transcendental equation  $e^{-x} = x^{-1/2}/C$  has approximate solution  $x \sim \ln C \sim \ln \left( g(m^2/2\pi)^{3/2}\langle \sigma v \rangle / H(m) \right)$

• Abundance at freeze-out:

$$n \sim g(m^2/2\pi)^{3/2} x^{-3/2} e^{-x} \sim H(m) x_f^{-2}/\langle \sigma v \rangle$$

• For comparison, photon abundanc Measured ut:

$$n_{\gamma} \sim T^3 \sim m^3 / x_f^3 \Rightarrow n/n_{\gamma} \sim \left(H(m)/m^2\right) \left(x_f/m\right)/\langle \sigma v \rangle$$

To match measurements of DM mass density from CMB (comparable to critical density and baryon density), DM number density ~9 orders of magnitude below photon number density if m<sub>DM</sub> = m<sub>proton</sub>. At higher DM mass, number density must be lower (keeping mass density = mass x number density fixed).

$$H(m) \sim m^2/m_{\rm Pl} \Rightarrow 10^{-9} {\rm GeV} m_{\rm Pl} \sim x_f/\langle \sigma v \rangle \Rightarrow \langle \sigma v \rangle \sim x_f 10^{-10} {\rm GeV}^{-2}$$

- Let us estimate  $\langle \sigma v \rangle \sim \alpha^2/m^2, \, \alpha \sim 10^{-2}$
- Then from first estimate for cross section, natural mass scale is m~1000 GeV.
- Plug this back into formula for x<sub>f</sub>; we find x<sub>f</sub>~25.  $x_f \sim \ln \left( g/(2\pi)^{3/2} m m_{\rm Pl} \langle \sigma v \rangle \right)$

This gives us a better cross section estimate:

 $\langle \sigma v \rangle \sim 2 \times 10^{-9} \text{GeV}^{-2} \approx 2 \times 10^{-26} \text{cm}^3/\text{s}$ 

If cross section 'weak-like' (assumed 1TeV scale), DM abundance today reproduced with only log dependence on mass

# Thermal decoupling?



Thermal decoupling, i.e. the fact that the present abundance of a given specie is determined by its interaction with the plasma in equilibrium up to the 'freezeout' moment, explains many of the events in the early Universe

Prime example - Cosmic Neutrino
 Background (CNB): decoupling of weak
 interactions for a relativistic particle

The neutrinos decouple when we have the rates comparable, which is

$$\Gamma_H = \Gamma_W.$$

We find the energy scale is MeV while time scale is second. Also notice the decoupling for different flavors should be different.

As a result of expansion, those cosmic background neutrinos should be very cold.

- Number density: 112 neutrinos per cc for each flavor. This 112 includes both neutrinos and antineutrinos.
- Temperature: 1.94K which corresponds to  $1.67 \times 10^{-4}$  eV.

# Thermal dark matter

- In a thermal scenario (already at play for most of the events in the Early Universe), weak-scale annihilation cross section naturally yields the observed abundance of dark matter.
- Suggestive of new physics not too far above the weak scale.
- Stable WIMPs automatically occur in many scenarios for physics beyond the Standard Model, in particular in supersymmetry.
- However, simplest scenarios are challenged by lack of detection on other fronts;

#### A 'special' model: 'Weakly interacting Massive Particles' (WIMPs)



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# Outline



# Search strategy & tools





V

e±,

 $\mathbf{p}^{\pm}$ 

D-

Y







#### What is the expected DM signal? - $\gamma$ 's and $\nu$ 's travel in straight lines!



#### What is the expected DM signal? - charged particles





#### What is the expected DM signal? - charged particles



# Focus on gamma-rays

#### **PROs:**

- neutral! point back to their source
- Easier to catch than neutrinos (high(er) statistics)
- => with gamma-rays one can study individual identified sources and different sources classes

#### **Challenge:**

Gamma rays (much) rarer than charged Cosmic Rays













# LHAASO - a combination of few techniques



# Future?





# Outline



The signal



The signal



- \* photons from Final State Particles (FSR) or internal states (VIB) and annihilation to a γray line (two photons/Zγ) through loop processes) or box shaped emission, to four photos via an intermediate state.
- \* low signals but easier to distinguish from astrophysics radiation

The signal



- **\*** DM density distribution needed
  - **\*** From N-body simulations
  - **\*** Or observations of gravitation field tracers



### Where to look - DM density map (N-body simulations)











Mass >600,000 suns!







Together with analysis of individual targets, target **assembles** can be used in various statistics frameworks:

- cumulative extragalactic signal
- angular anisotropies

— cross-correlations between gamma ray maps and DM tracer maps (weak lensing, galaxy\_catalogues..)



[TNG100 simulation]

### Main uncertainties in DM signal prediction

N-body simulations and observations agree on large scales (>~galaxies). However, DM density distribution **poorly constrained on small scales**!

Critical because signal is usually DOMINATED by small scales (e.g. center of our Galaxy) or by annihilation in small halos (which are the most concentrated)



#### N-body simulations: issues 01

Imited resolution-> small distances and small masses unresolved.



#### N-body simulations: issues 02

- baryonic feedback baryons can dominate gravitational potential at small scales
- Challenge simulations need to cover a large span of scales



[TNG simulation]

A number of simulations recover realistic disk Galaxies (great progress!), but still a number of open issues

### **Observations - subl**

different approach is to **n** gravitational potential of

• dwarf spheroidal Galaxies: the smallest DM halos (10<sup>8</sup>, 10<sup>9</sup> Msol) that





### **Observations - subhalos**

different approach is to **measure** motion of stellar objects to determine the Gravitational potential of DM. For example:

2m<sup>2</sup>dwarf spherdidal Galaxies: Assuming virialization, each population traces the gravitational potential, and we can use the spherical Jeans equation to link the measured velocity dispersion and the dSph gravitational potential



### **Observations - galaxy center**

In the very centers of halos gravitational potential is usually dominated by baryons, or hard to determine.



# In a nutshell

We use N-body simulations AND observation of DM tracers to track DM density profile. Both methods 'fail' at small scales

- **small (sub)halos** have few or NO stars/unresolved in simulations and
- In the very centers of halos gravitational potential is usually dominated by baryons, or hard to determine/unresolved in simulations
- Considerable uncertainties remain!

# Summary

- gamma rays are a great messenger (also for DM search :)
- N-body simulations tell us 'where to look'
- uncertainties in signal prediction on small scales
- predicted signals often extended on the sky

